

FROM ELECTROSPINNING TO THERMAL MANAGEMENT IN MICROELECTRONICS, FROM CO-ELECTROSPINNING TO NANOFLUIDICS



A.L. Yarin

University of Illinois at Chicago, U.S.A., and TU Darmstadt, Germany



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Raman Srikar (UIC)

Yiyun Zhang (UIC)

Andreas Lembach (TUD)

C. M. Weickgenannt (TUD)

Collaborators: Dr. A.V. Bazilevsky (UIC)

Dr. I.V. Roisman (TUD)

Dr. T. Gambaryan-Roisman (TUD)

Dr. C. Tropea (TUD)

Dr. P. Stephan (TUD)

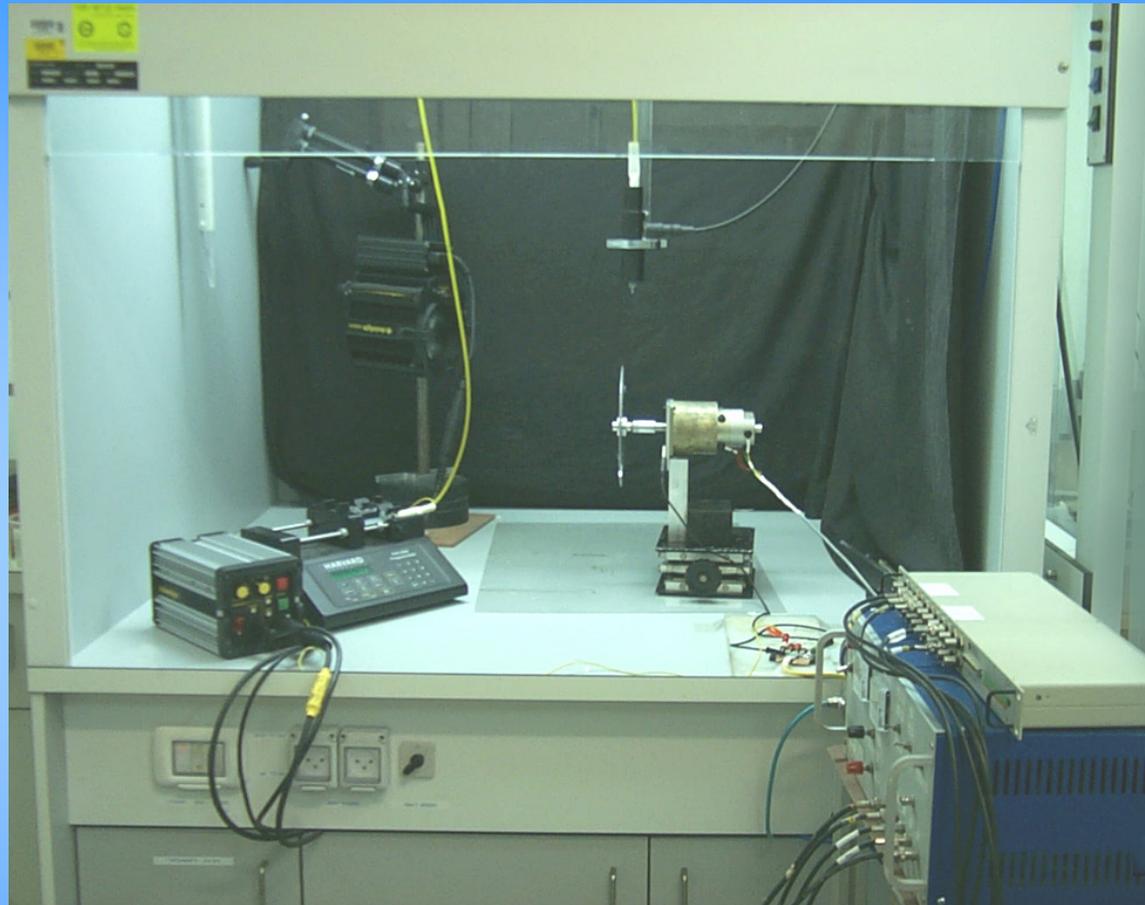
Dr. J. Yagoobi (IIT)



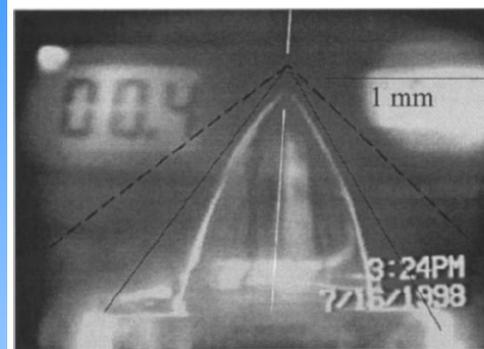
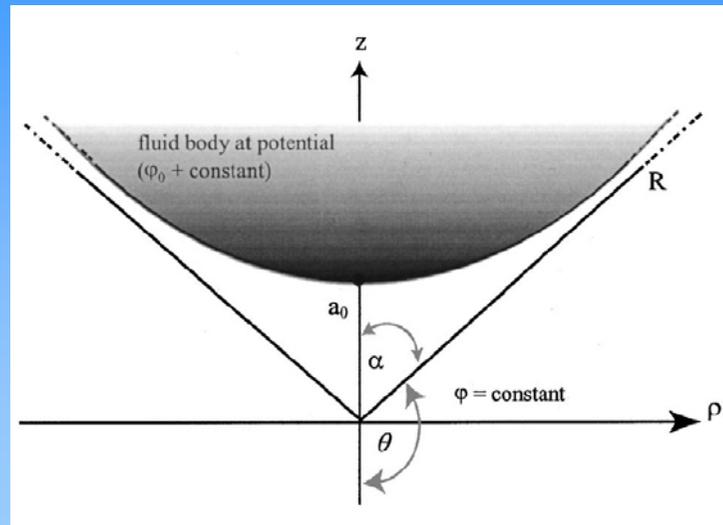
Outline

1. Electrospinning of nanofiber mats
2. Drops on nanofiber mats: static superhydrophobicity
3. Drop impact on nanofiber mats: dynamic wettability
4. Cooling of micro- and opto-electronics, and radiological devices; UAVs, UGVs and server racks
5. Carbon nanotubes via co-electrospinning
6. Carbon nanotubes from a single nozzle
7. Pressure-driven nanofluidics in macroscopically long carbon nanotubes
8. Template approach: nanotube strips
9. Beyond Poiseuille

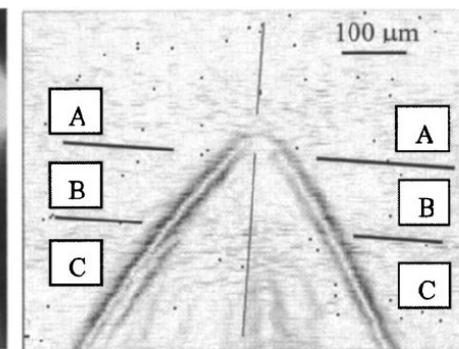
Electrospinning Setup



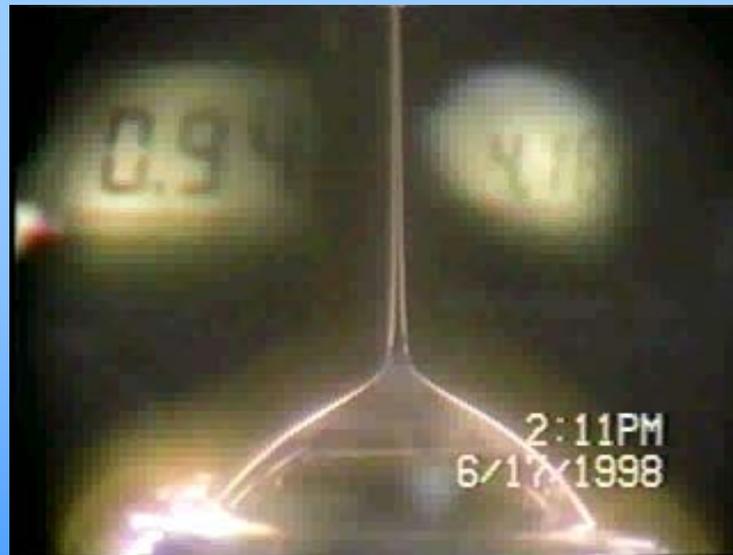
Process Initiation: Taylor Cone



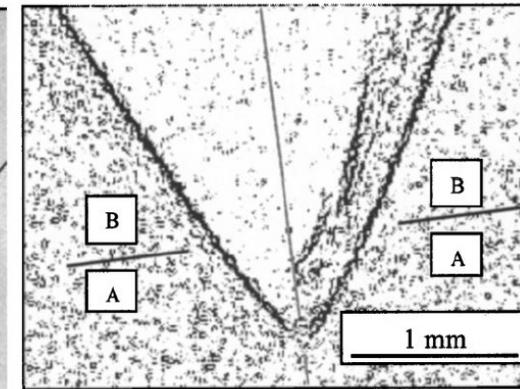
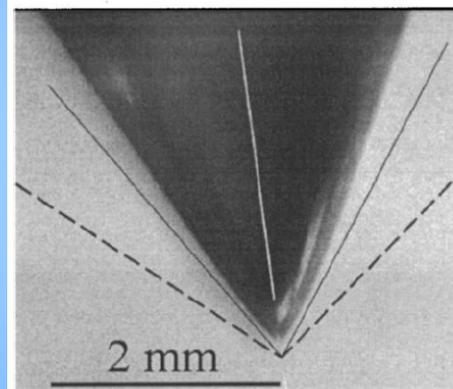
(a)



(b)



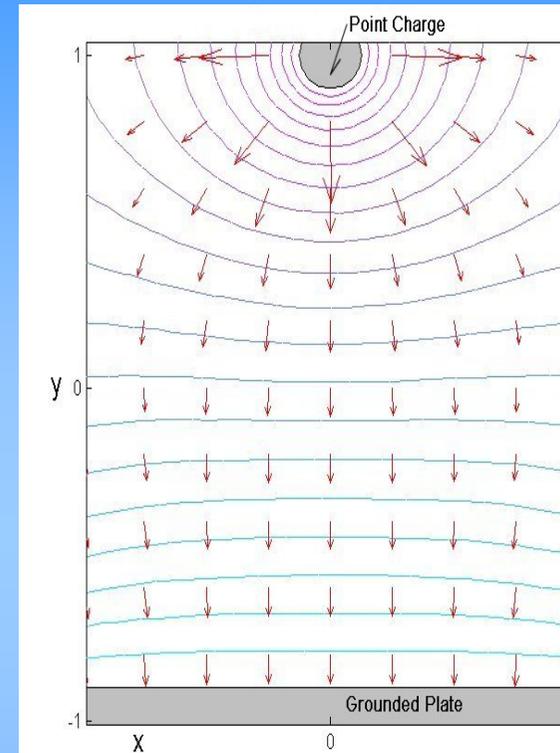
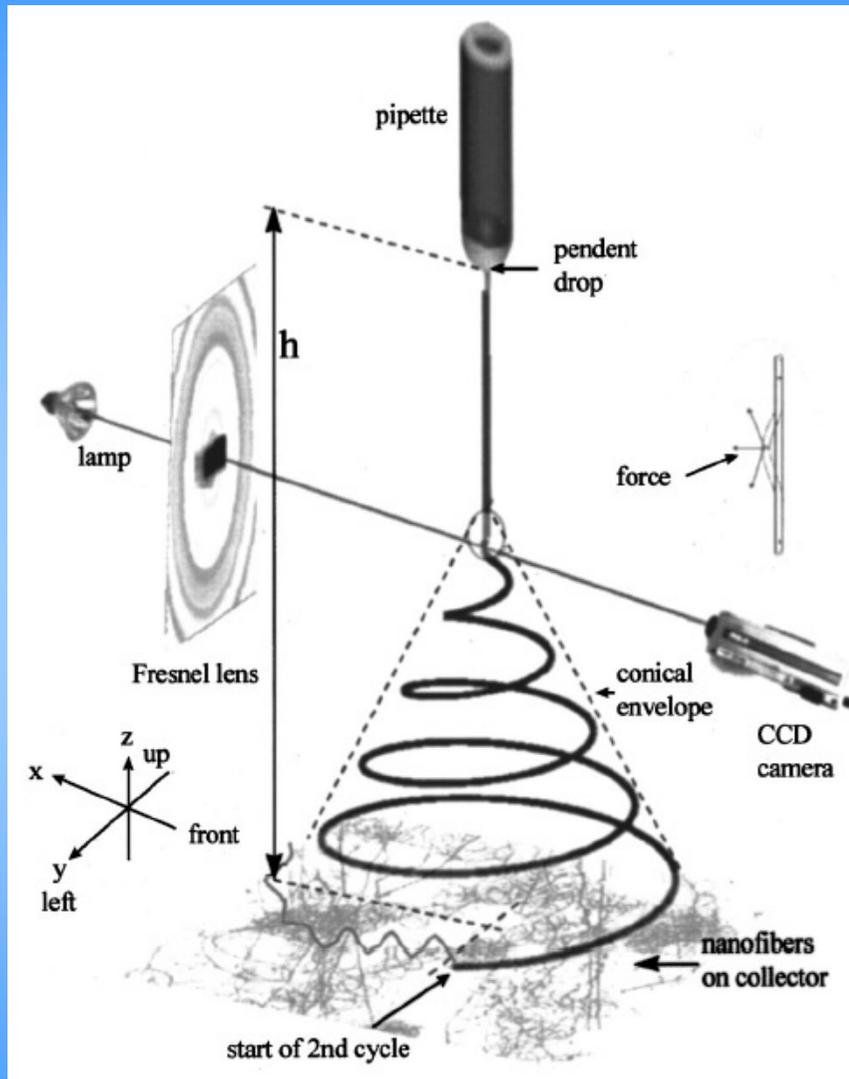
(c)



(d)

Yarin A L, Reneker D H, Kumbhongse S,
J. App. Phys. 90, 2001

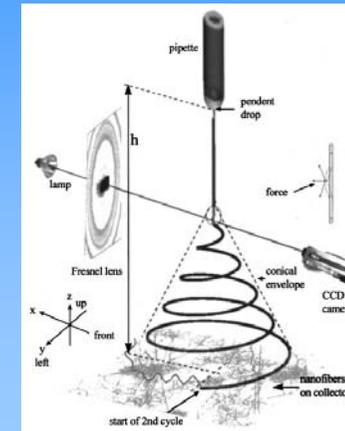
Electrospinning of Polymer Solutions



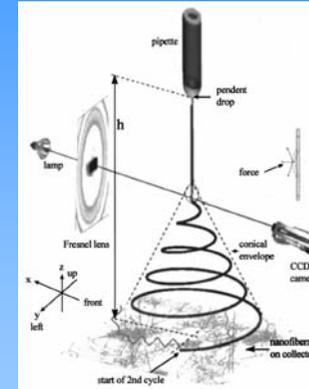
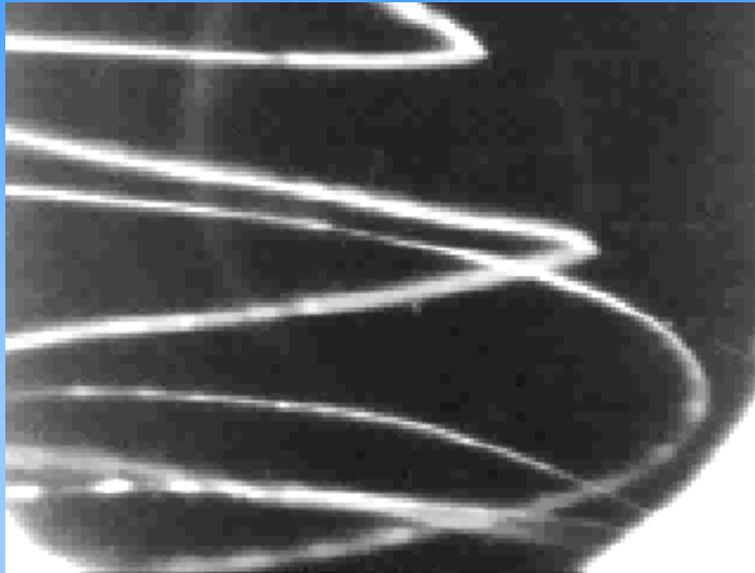
Reneker D H, Yarin A L, Fong H,
Koombhongse S, *J. App. Phys.* 87, 2000

Yarin A L, Koombhongse S, Reneker D H,
J. App. Phys. 89, 2001

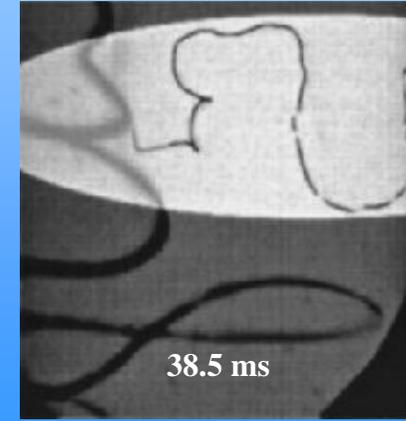
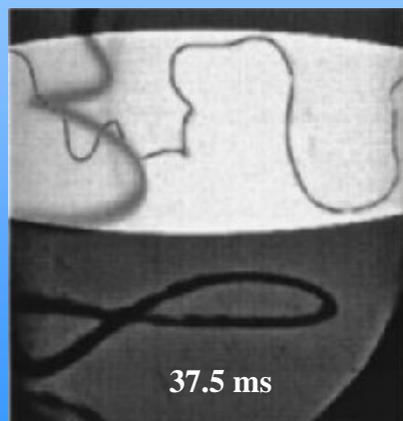
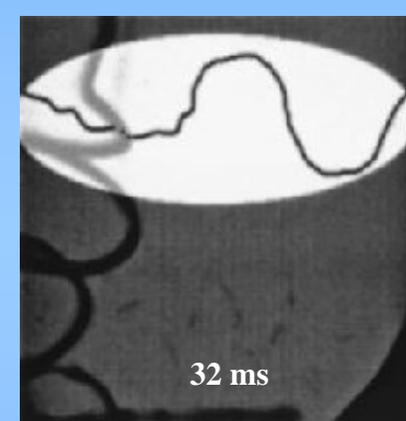
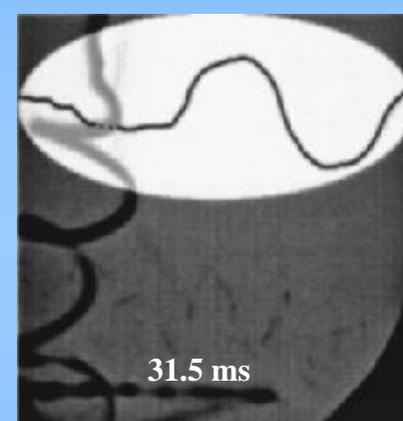
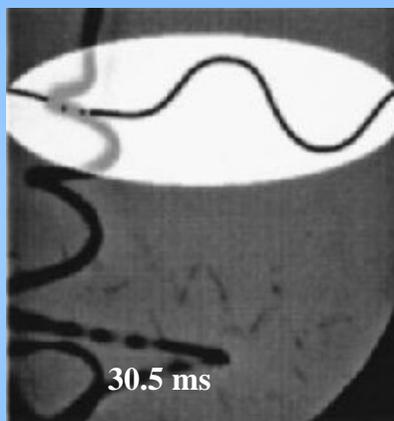
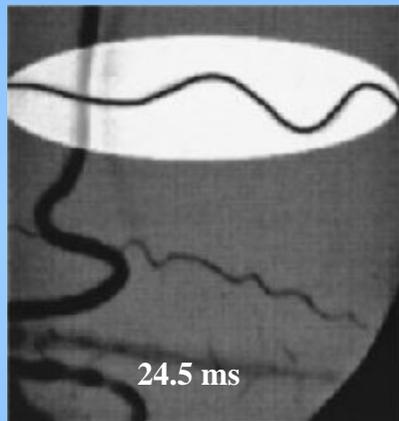
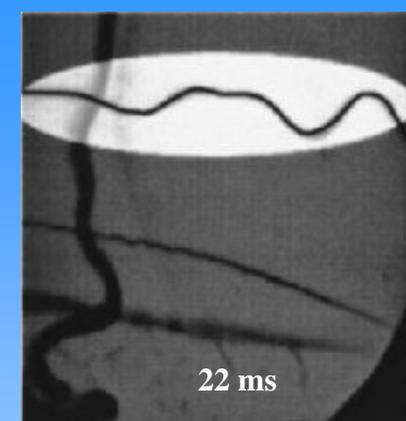
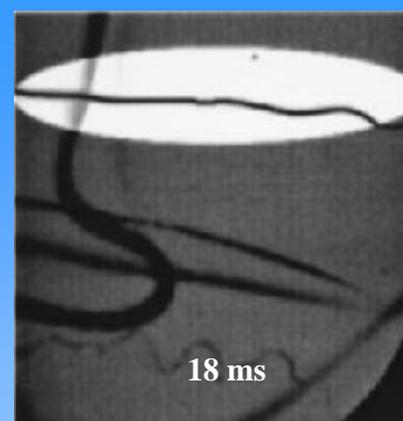
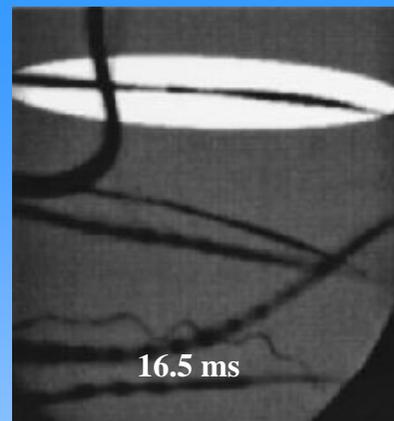
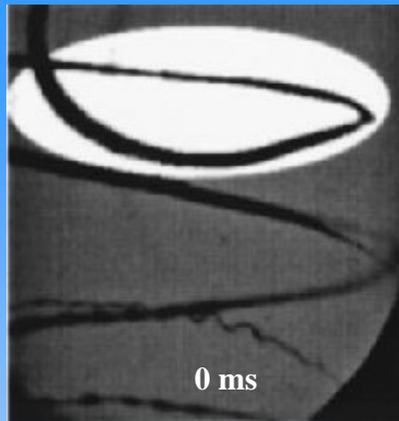
Electrospinning of Polymer Solutions



Electrospinning of Polymer Solutions

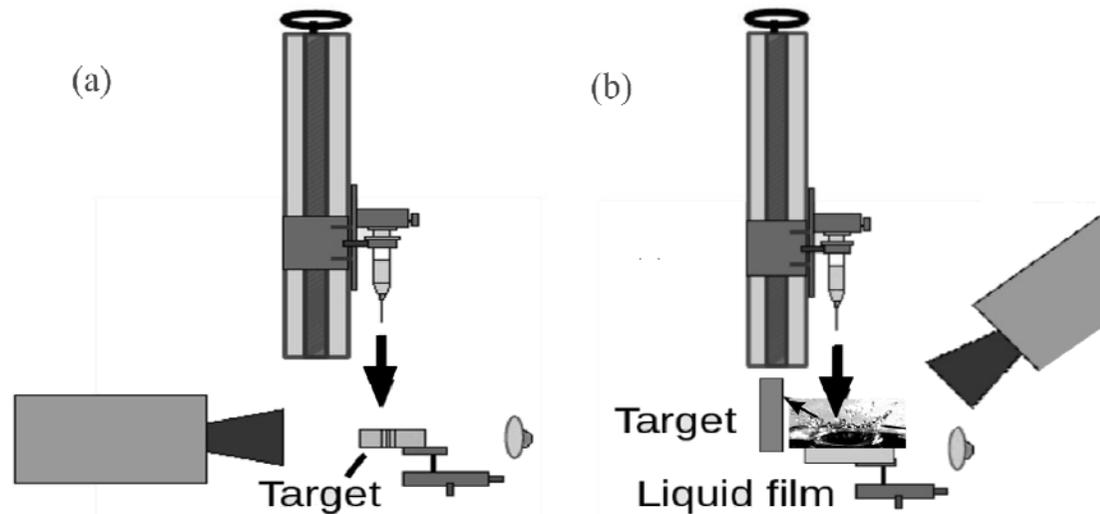


Reneker, Yarin, Fong,
Kooombhongse



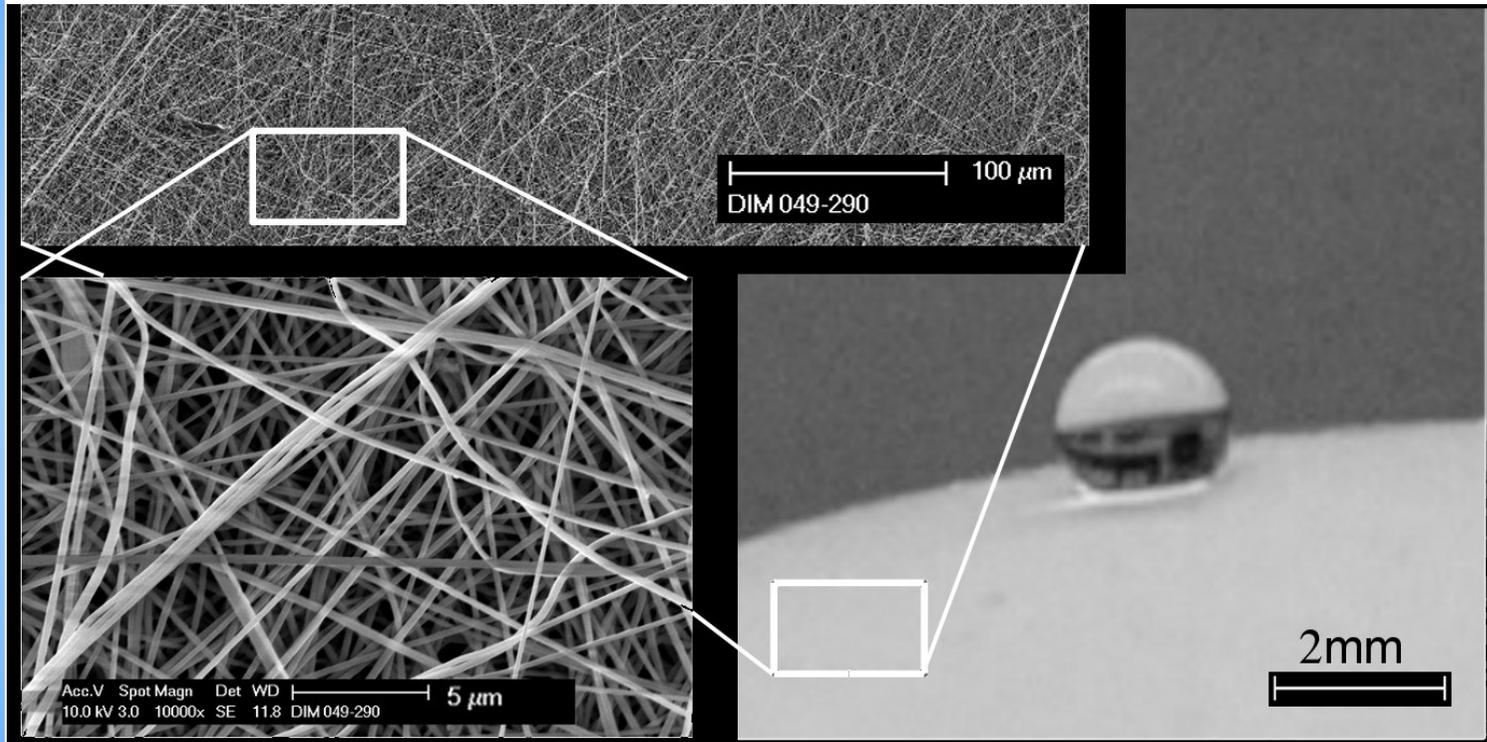
Reneker D H, Yarin A L, Fong H,
Koombhongse S, *J. App. Phys.* 87, 2000

Drop Impact: Experimental Setups



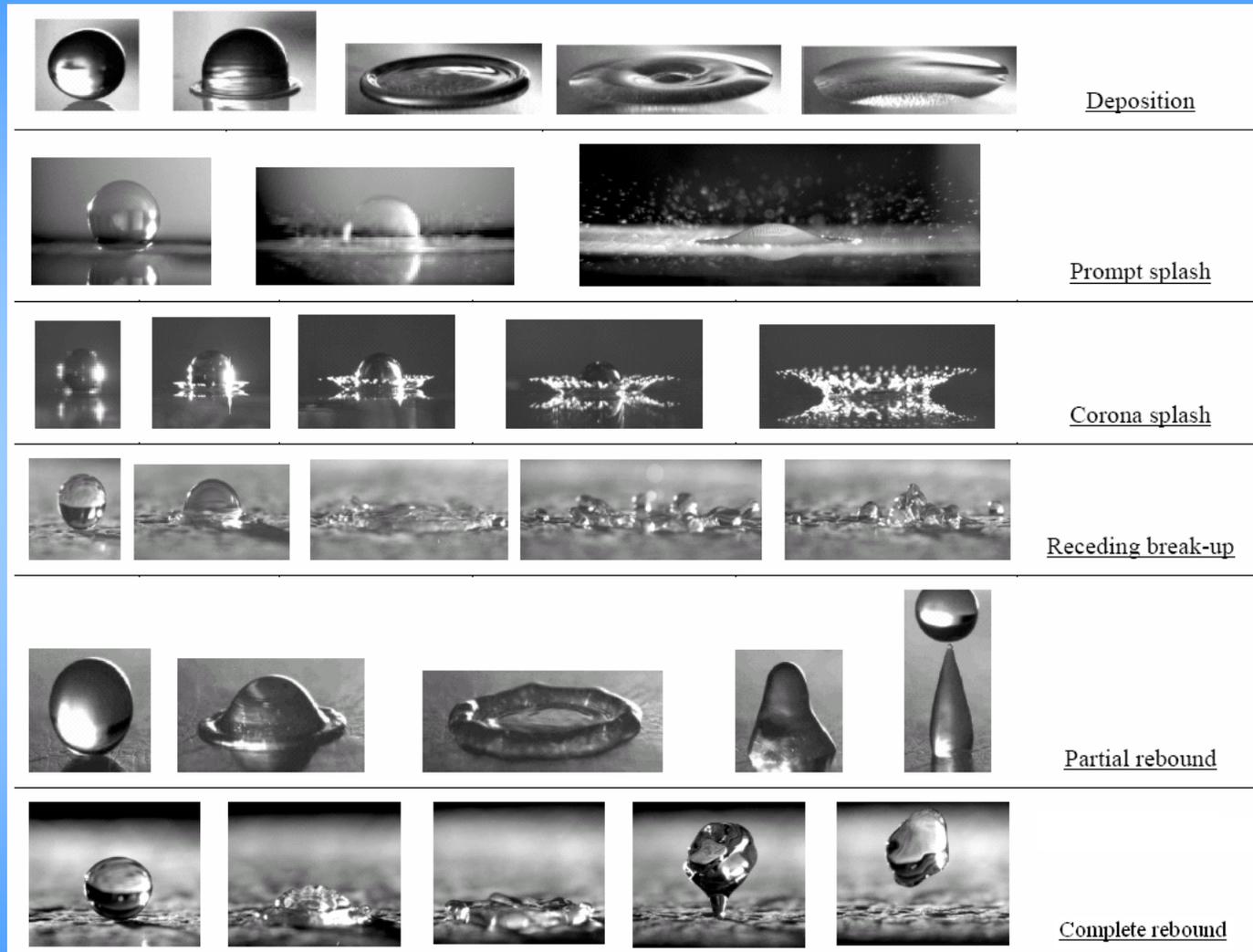
- a- Syringe drop generator for direct impact of 2-3 mm or 100 micron drops at velocities of about 2 m/s.
- b- Syringe drop generator produces primary drop, which impact on liquid film and produce corona splash to generate 0.4-1.4 mm drops for oblique impact.

Electrospun Nanofiber Mat and a Droplet Softly Deposited on it

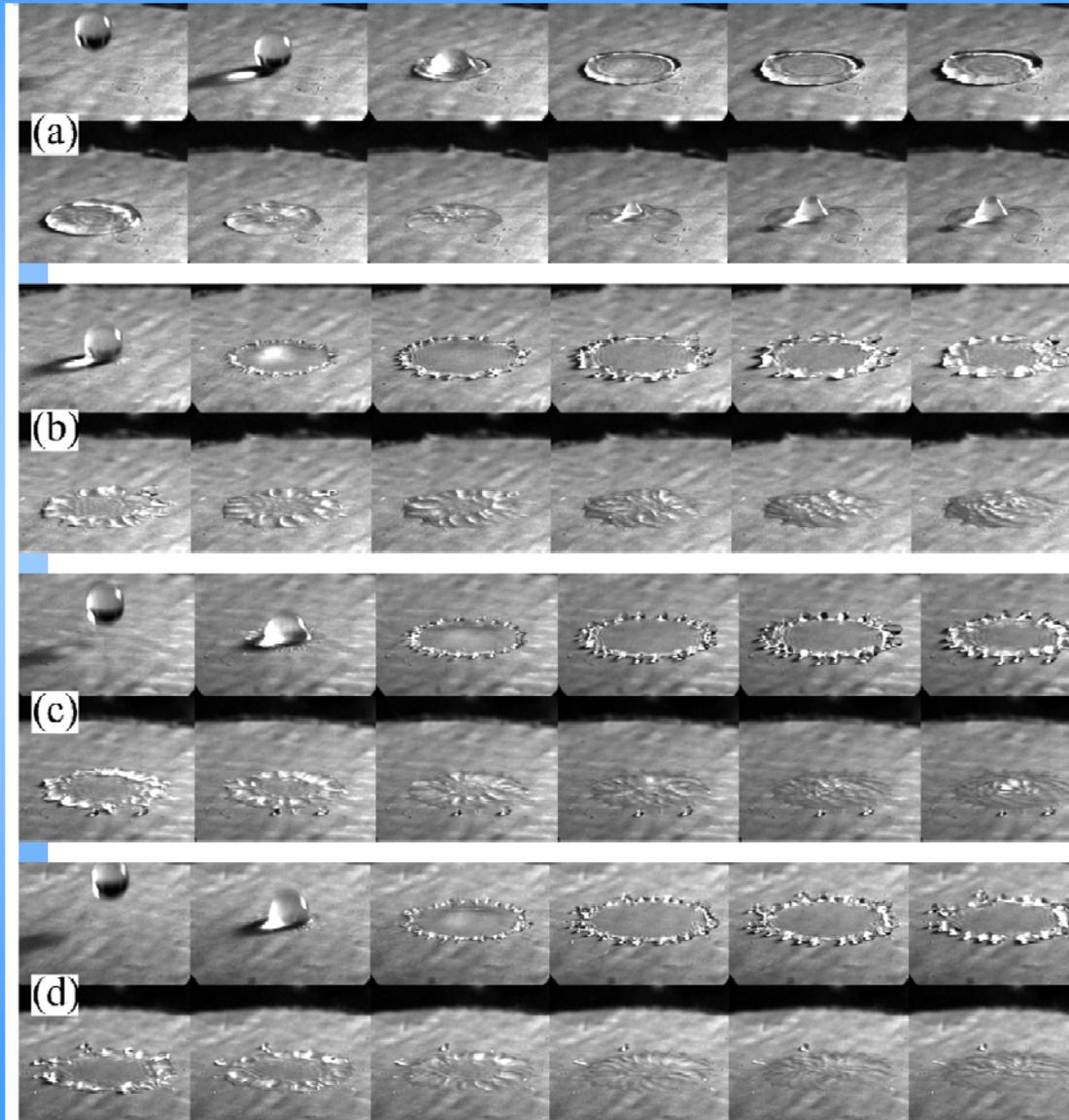


Static superhydrophobicity: Cassie-Baxter state
due to 90-95% of air in the mat

Drop Impact on a Dry Solid Wall

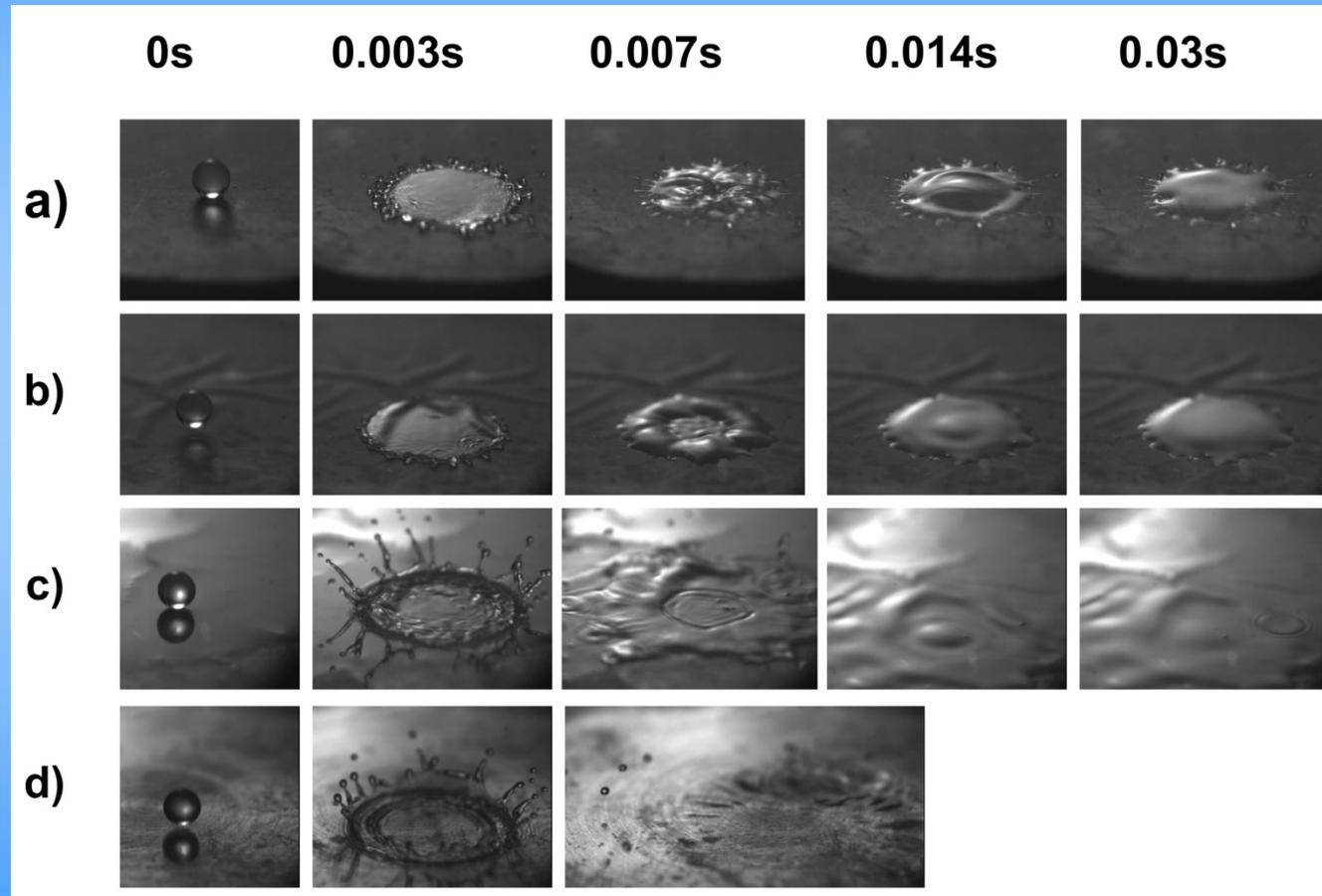


Drop Impact on a Dry Nanofiber Mat



**Contact line
is pinned:
no receding,
no bouncing;
Dynamically
imposed Wenzel
state**

Drop Impact on Prewetted Nanofiber Mat: Back to Corona Splash



Accumulation and Channeling of Kinetic Energy in Drop Impact on a Pore

Pressure impulse and potential

$$\Pi = \lim_{\substack{\tau \rightarrow 0 \\ p \rightarrow \infty}} \int_0^{\tau} \Delta p dt; \quad \varphi = -\Pi / \rho$$

Potential φ is a harmonic function

Evaluating pressure impulse

Compressible impact :

The convective part of the force :

$$F_c = \rho V_0 c D^2$$

The "water hammer"-like part of the force :

$$F_{wh} = -\rho D^3 A = -\rho D^3 (-V_0 c / D) = \rho V_0 c D^2.$$

Therefore,

$$\Delta p = F / D^2 = \rho V_0 c; \quad \tau = D / c, \text{ and}$$

$$\Pi = \rho V_0 D; \quad \varphi_0 = -V_0 D$$

Accumulation and Channeling of Kinetic Energy in Drop Impact on a Pore

Evaluating pressure impulse

Incompressible impact :

The convective part of the force :

$$F_c = \rho V_0^2 D^2$$

The "water hammer" – like part of the force :

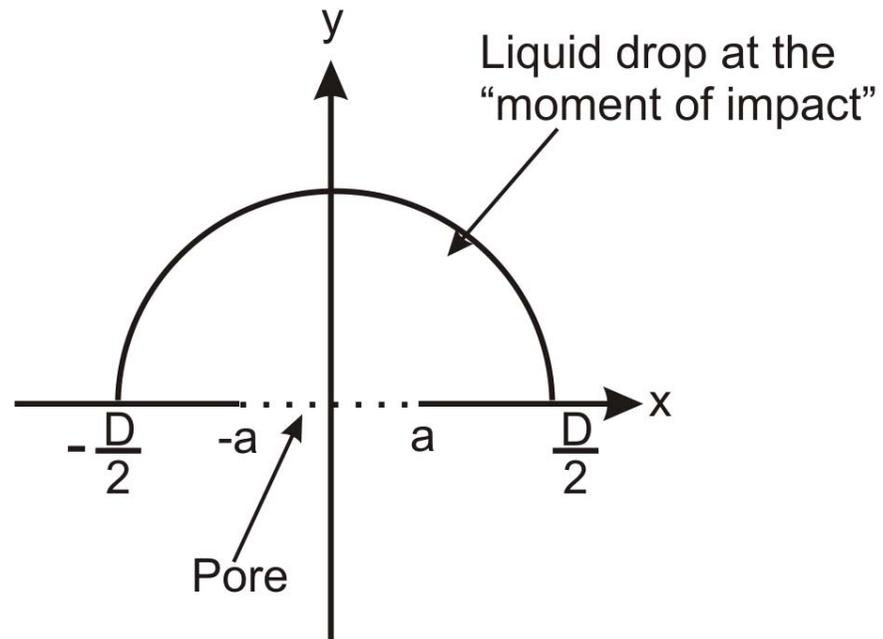
$$F_{wh} = -\rho D^3 A = -\rho D^3 (-V_0 V_0 / D) = \rho V_0^2 D^2.$$

Therefore,

$$\Delta p = F / D^2 = \rho V_0^2; \quad \tau = D / V_0, \text{ and}$$

$$\Pi = \rho V_0 D; \quad \varphi_0 = -V_0 D \quad \text{– as in the compressible case}$$

Accumulation and Channeling of Kinetic Energy in Drop Impact on a Pore



Accumulation and Channeling of Kinetic Energy in Drop Impact on a Pore

The boundary condition for the
harmonic potential: Planar case

Over $-\infty \leq X \leq -a, y = 0$;

and over $a \leq X \leq \infty, y = 0$ (2D wall):

$$\varphi(X) = \varphi_0 = -V_0 D$$

Over $-a < X < a, y = 0$ (2D pore):

$$\varphi(X) = 0.$$

Accumulation and Channeling of Kinetic Energy in Drop Impact on a Pore

The harmonic potential in the liquid drop in the upper half-plane is given by the Cauchy formula, which reduces to Poisson's integral formula for the upper half-plane

$$\varphi(x, y) = \frac{1}{\pi} \int_{-\infty}^{\infty} \frac{\varphi(X, 0) y}{(x - X) + y^2} dX = -\frac{\varphi_0}{\pi} \arctan\left(\frac{2ay}{x^2 + y^2 - a^2}\right)$$

Therefore,

$$v_{\text{opening}}(x) = \left. \frac{\partial \varphi}{\partial y} \right|_{y=0} = \frac{V_0 D}{\pi} \frac{2a}{x^2 - a^2};$$

$$|v_{\text{opening}}(0)| = V_0 \frac{2D}{\pi a}; \quad a = d/2$$

The Reasons of Filling Non-wettable Nanofiber Mats

Predicted penetration speed:
accumulation and channeling of kinetic energy (a la shaped-charge jets!)

$$U = \frac{4 D}{\pi d} V_0$$

Impregnation: Lucas-Washburn speed

$$U_{LW} = \frac{\sigma d \cos \theta}{8 \mu H}$$

$$\frac{D}{d} \gg 1, \quad U \gg U_{LW}$$

Wettability plays practically no role: it is possible to fill non-wettable pores!!!

Accumulation and Channeling of Kinetic Energy in Drop Impact on a Pore

The boundary condition for the harmonic potential: Cylindrical case-Solved by the Fourier method as a problem with a continuous spectrum

Over $a \leq r \leq \infty, z = 0$ (2D wall) :

$$\varphi(\mathbf{X}) = \varphi_0 = -V_0 D$$

Over $0 \leq t < a, y = 0$ (2D pore) :

$$\varphi(\mathbf{X}) = 0.$$

C. M. Weickgenannt, Y. Zhang, A. N. Lembach,
I.V. Roisman, T. Gambaryan, A.L. Yarin, C.Tropea,
Phus. Rev. E. (2011).

Accumulation and Channeling of Kinetic Energy in Drop Impact on a Pore

The harmonic potential in the liquid drop in the upper semi-space: Cylindrical case-solution as the Fourier-Bessel integral

$$\varphi(r, z) = V_0 D a \int_0^{\infty} J_0(vr) J_1(va) \exp(-vz) dv$$

Therefore,

$$v_z(r) \Big|_{z=0} = \frac{\partial \varphi}{\partial z} \Big|_{z=0} = -\frac{V_0 D}{a} \int_0^{\infty} \xi J_0\left(\frac{r}{a} \xi\right) J_1(\xi) d\xi;$$

$$\left| v_z(r=0) \Big|_{z=0} \right| = V_0 \frac{2D}{d}; \quad a = d/2$$

The Reasons of Filling Non-wettable Nanofiber Mats

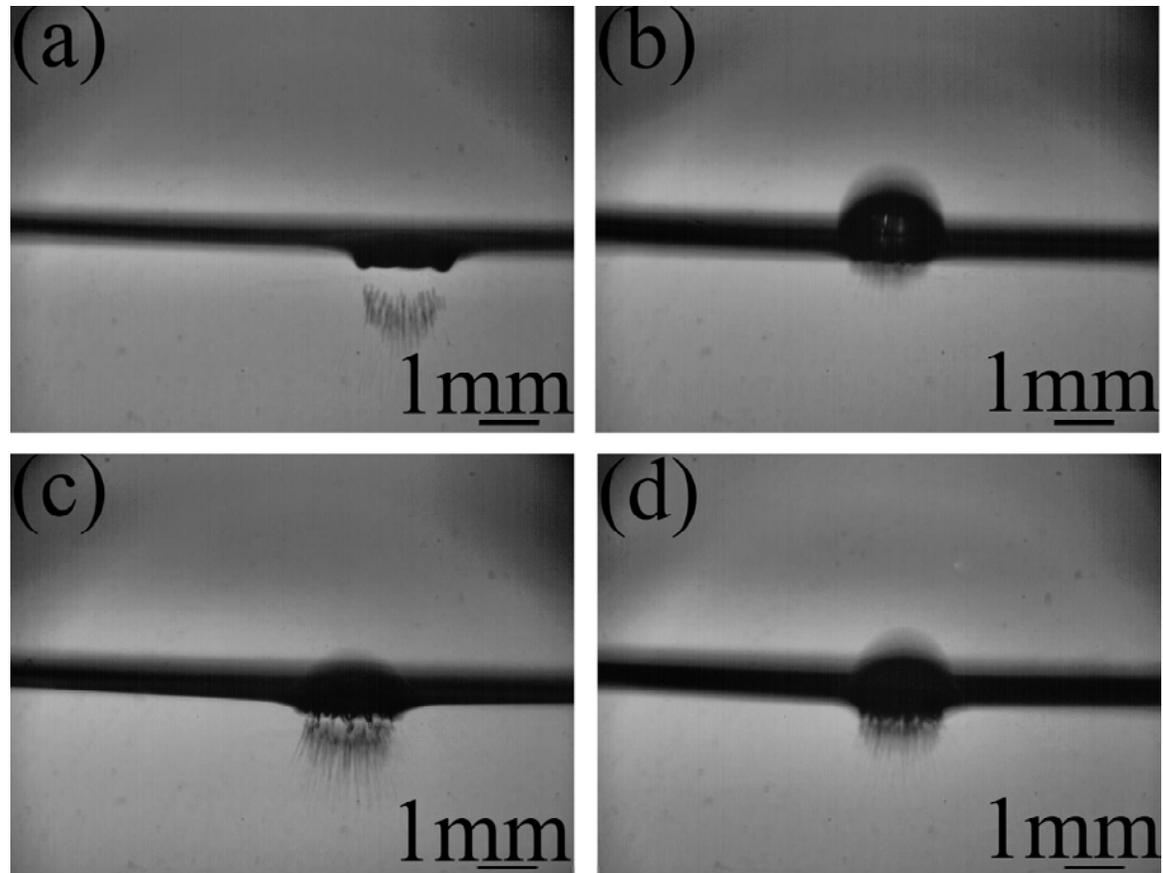
Predicted penetration speed: Predicted in the cylindrical case

$$U = \frac{2D}{d} V_0$$

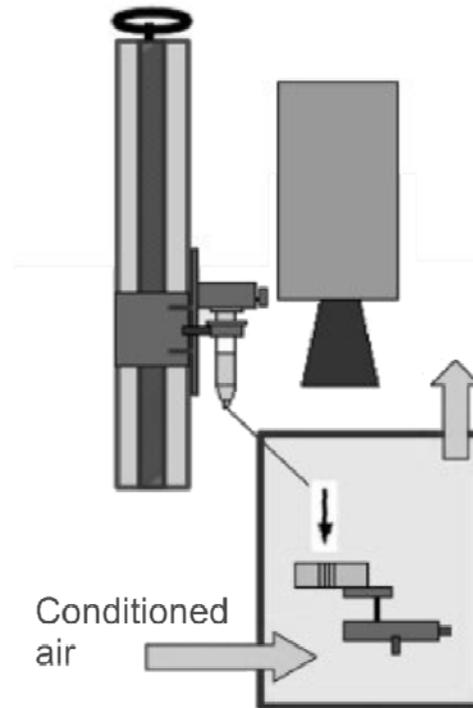
Even higher than in the planar case!

Wettability plays practically no role: it is possible to fill non-wettable pores!!!

FC-7500: Millipede

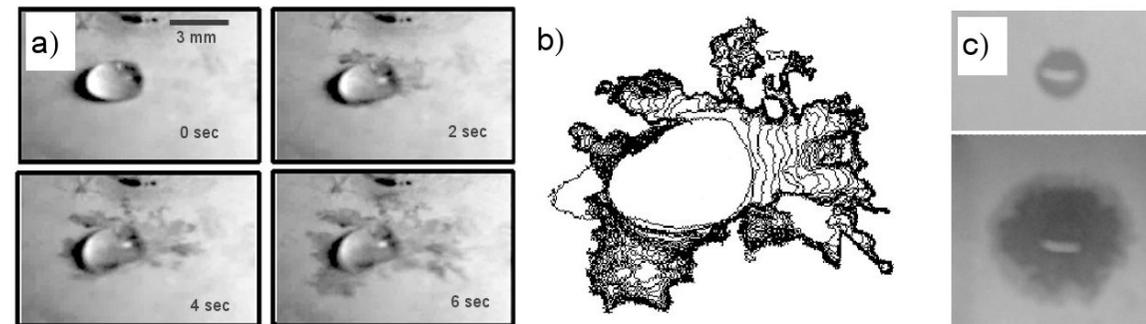


Observations of Water Spreading inside Nanofiber Mats



Setup for observations of nanomat impregnation

Water Spreading inside Nanofiber Mat: Experimental Results



Matching of refractive indexes of
wet nanofibers and water makes
the copper substrate visible

Water Spreading inside Nanofiber Mat: 1D Axisymmetric Theory

The moisture transport equation :

$$\frac{\partial u}{\partial t} = a_m \frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial u}{\partial r} \right)$$

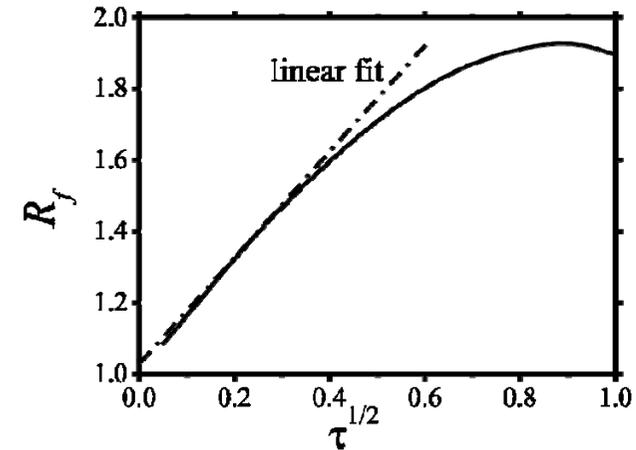
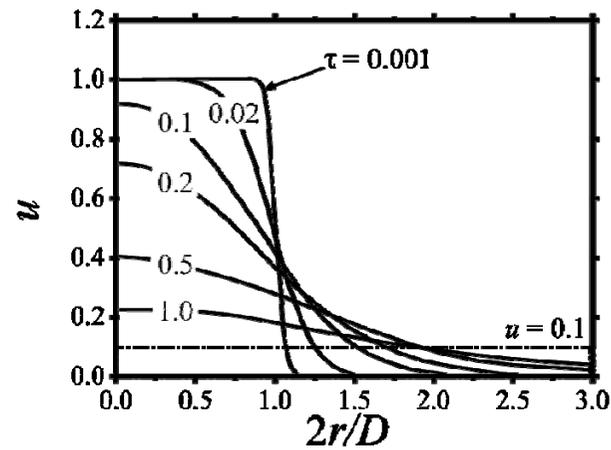
The initial and boundary conditions :

$$t = 0: u = \chi(r); \quad t \geq 0: u < \infty, \quad r = 0 \quad \text{and} \quad u = 0, \quad r = \infty$$

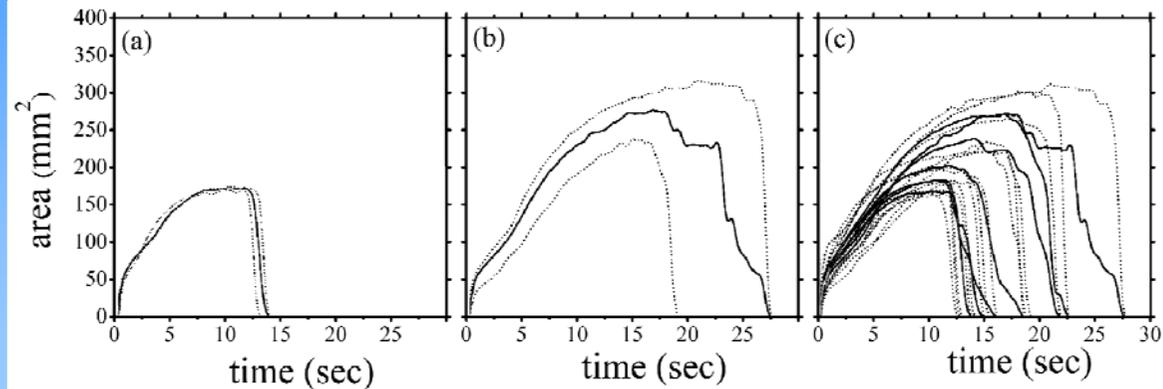
The solution :

$$u(r, t) = \frac{1}{2a_m t} \exp\left(-\frac{r^2}{4a_m t}\right) \int_0^{D/2} \exp\left(-\frac{\xi^2}{4a_m t}\right) I_0\left(\frac{r\xi}{2a_m t}\right) \xi d\xi$$

Water Spreading inside Nanofiber Mat: 1D Axisymmetric Theory



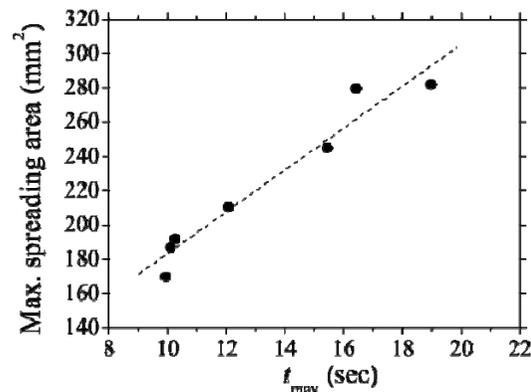
Water Spreading inside Nanofiber Mat: Experiments vs. Theory



$$R_f = 1.492\sqrt{a_m t} + \text{const}$$

The moisture transport coefficient :

$$a_m = 8 \times 10^{-4} \text{ cm}^2 / \text{s}$$



Microelectronics Miniaturization: UAV-Unmanned Aerial Vehicles

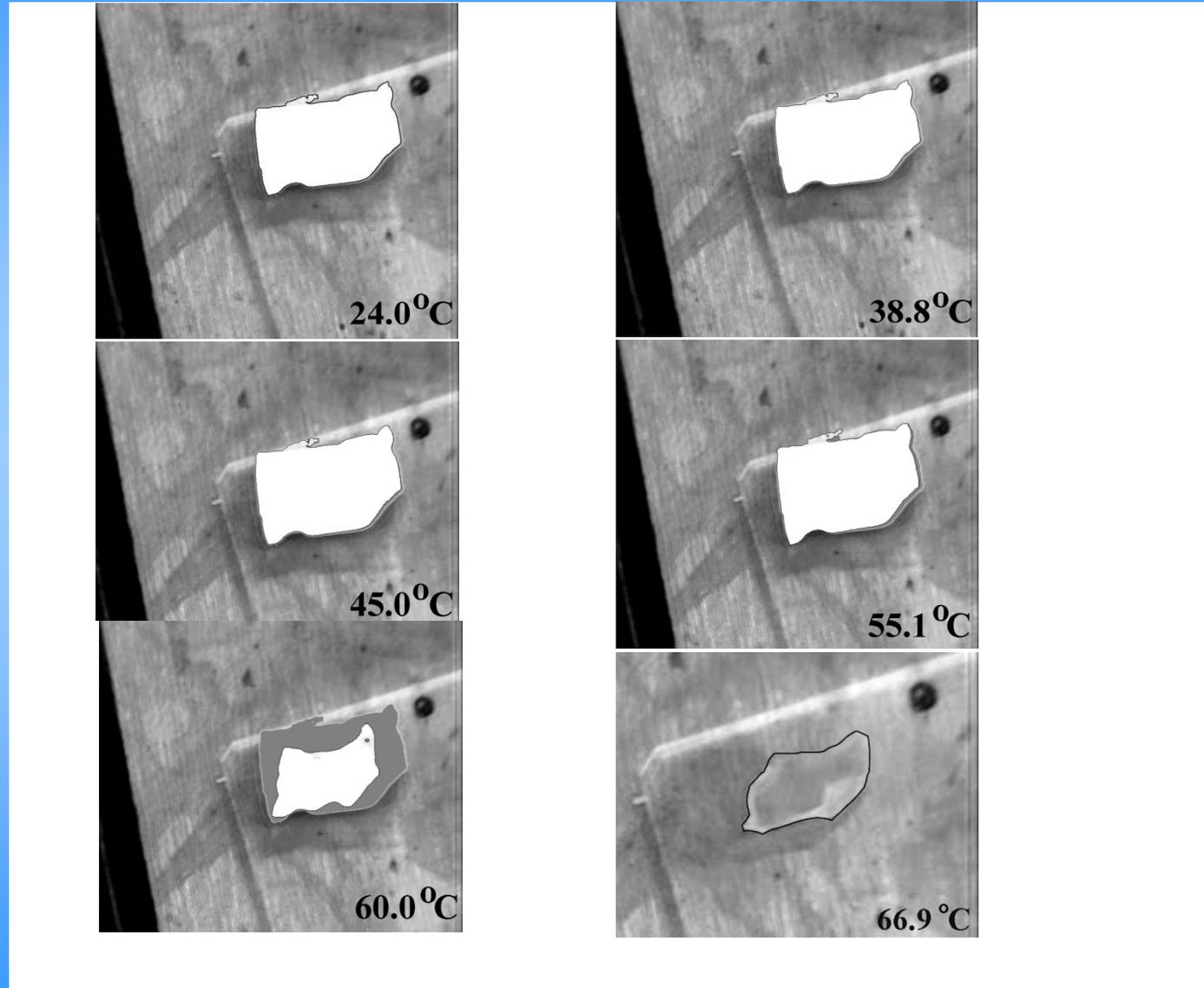


Microelectronics Miniaturization: UGV-Unmanned Ground Vehicles Searching for Hazardous Chemicals



“Griffon: A Man-Portable Hybrid UGV/UAV,” Brian Yamauchi and Pavlo Rudakevych, *Industrial Robot*, vol. 31, no. 5, pp. 443-450, 2004.

Drop/Spray Cooling through Nanofiber Mats: Thermal Stability? PCL Easily Shrinks

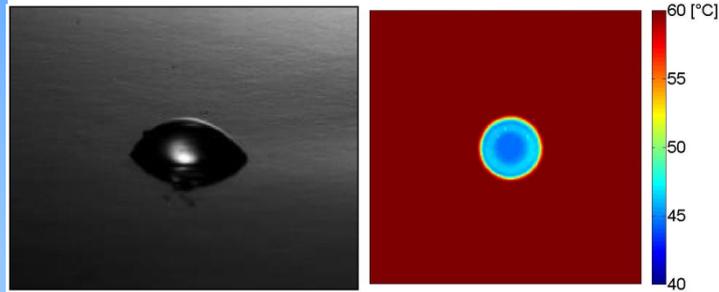


Drop/Spray Cooling through Nanofiber Mats: PAN Does Not Shrink Even at 250 C

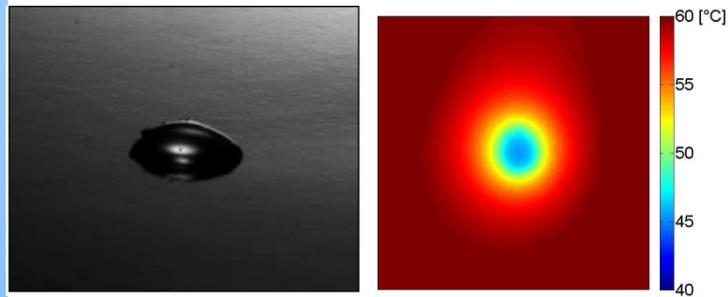


Temperature Field

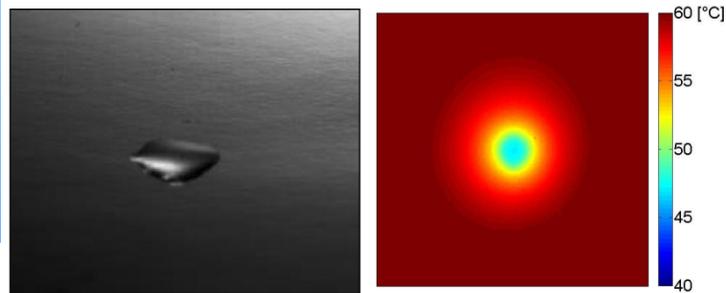
Bare metal



$t=0.0042$ s

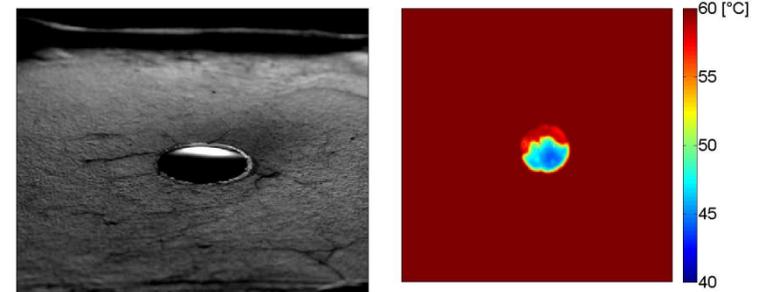


$t=100$ s

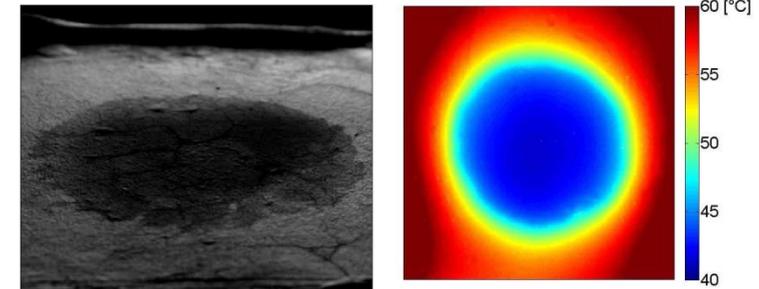


$t=280$ s

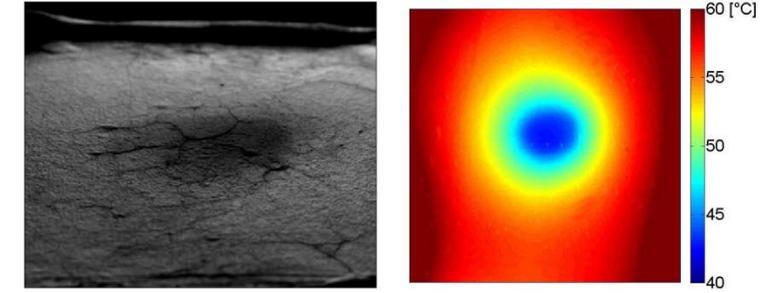
Metal covered by nanofiber mat



$t=0.004$ s

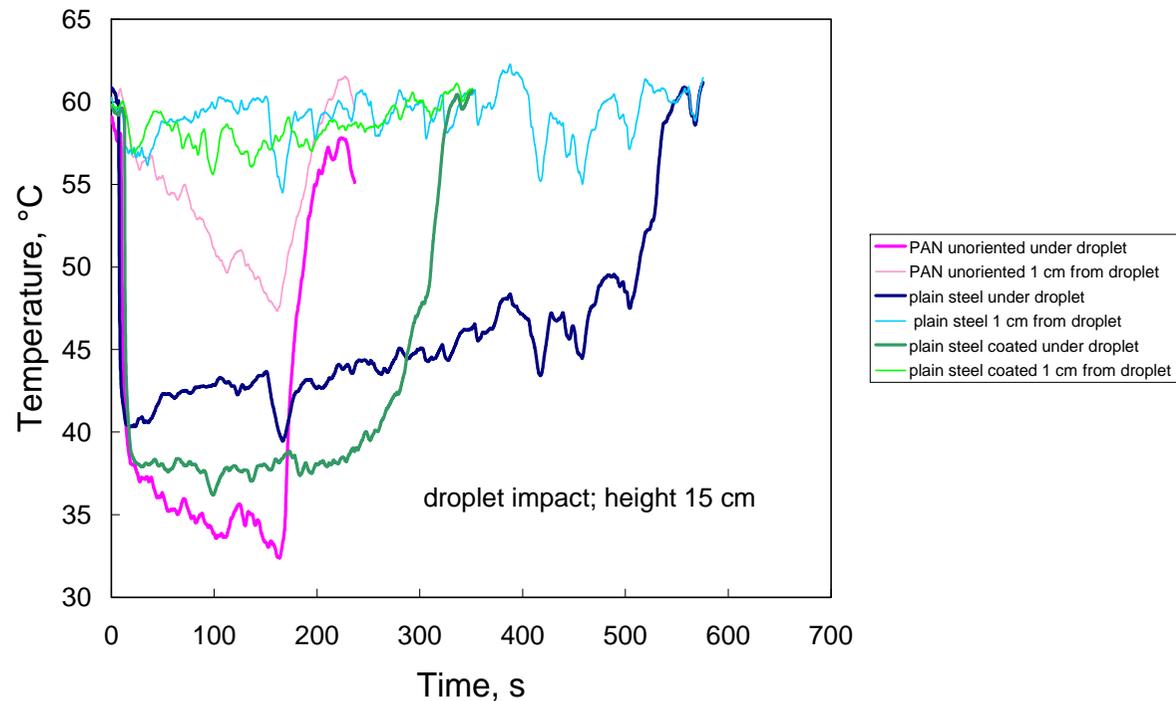


$t=13$ s



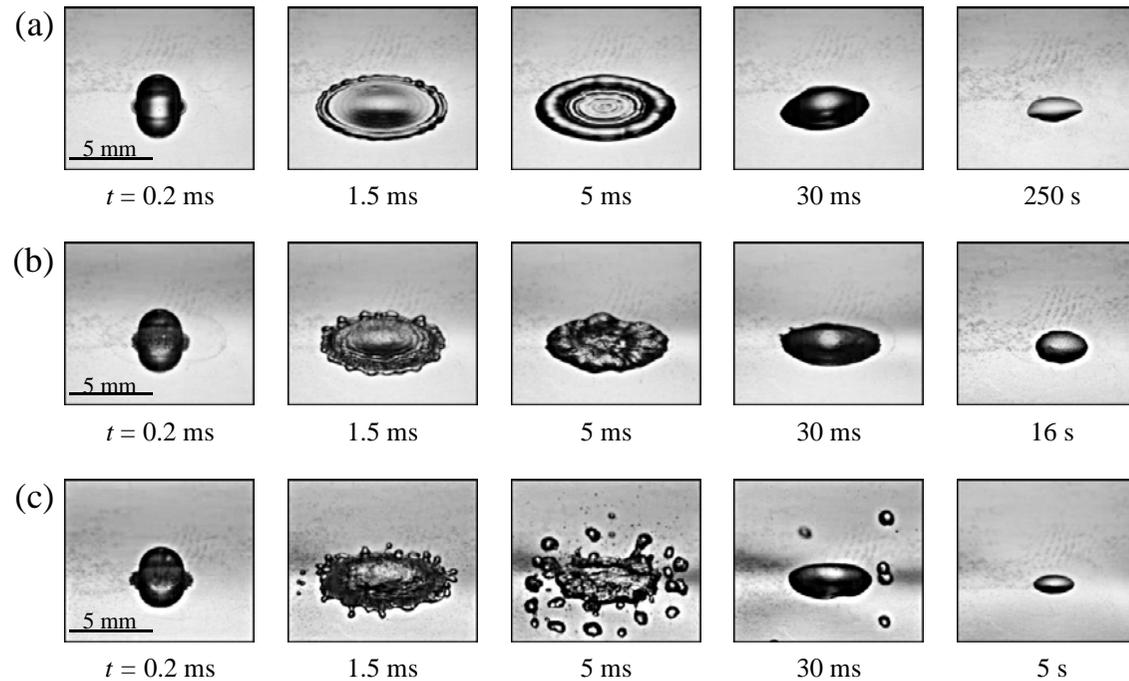
$t=46$ s

Drop/Spray Cooling through Nanofiber Mats



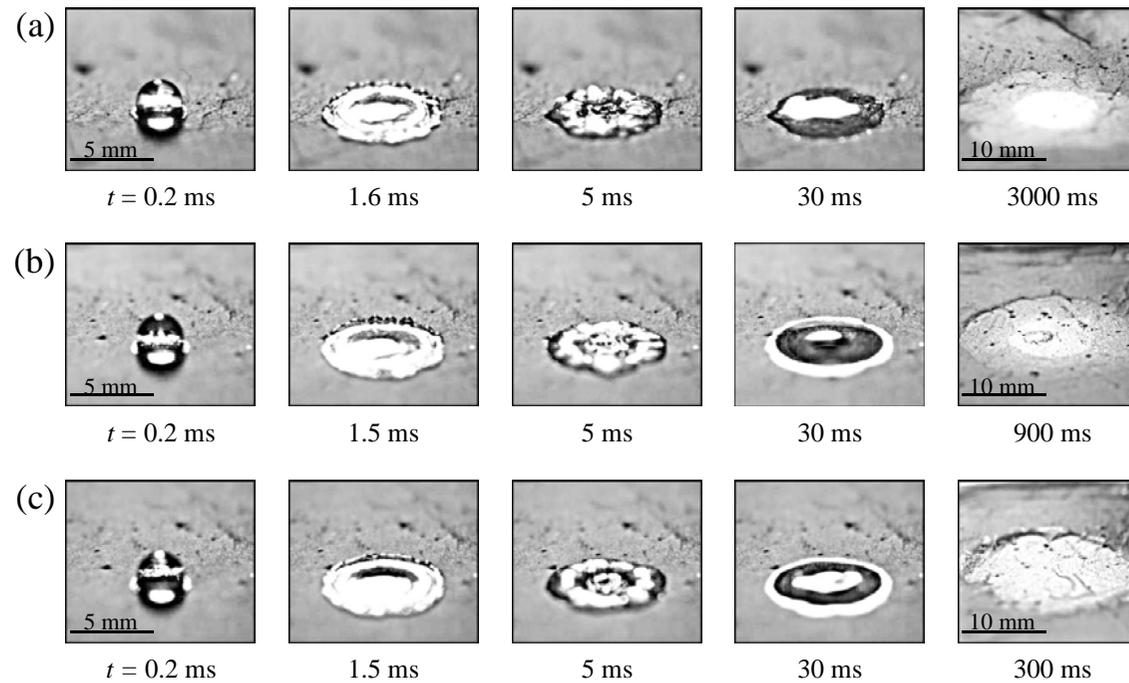
An attractive way for cooling high-heat flux components in microelectronics (e.g. on board of UAVs), as well as server rooms

Bare Surface: The Leidenfrost Effect



(a) 60°C, (b) 220°C, and (c) 300°C

Nano-Textured Surface: The Anti-Leidenfrost Effect

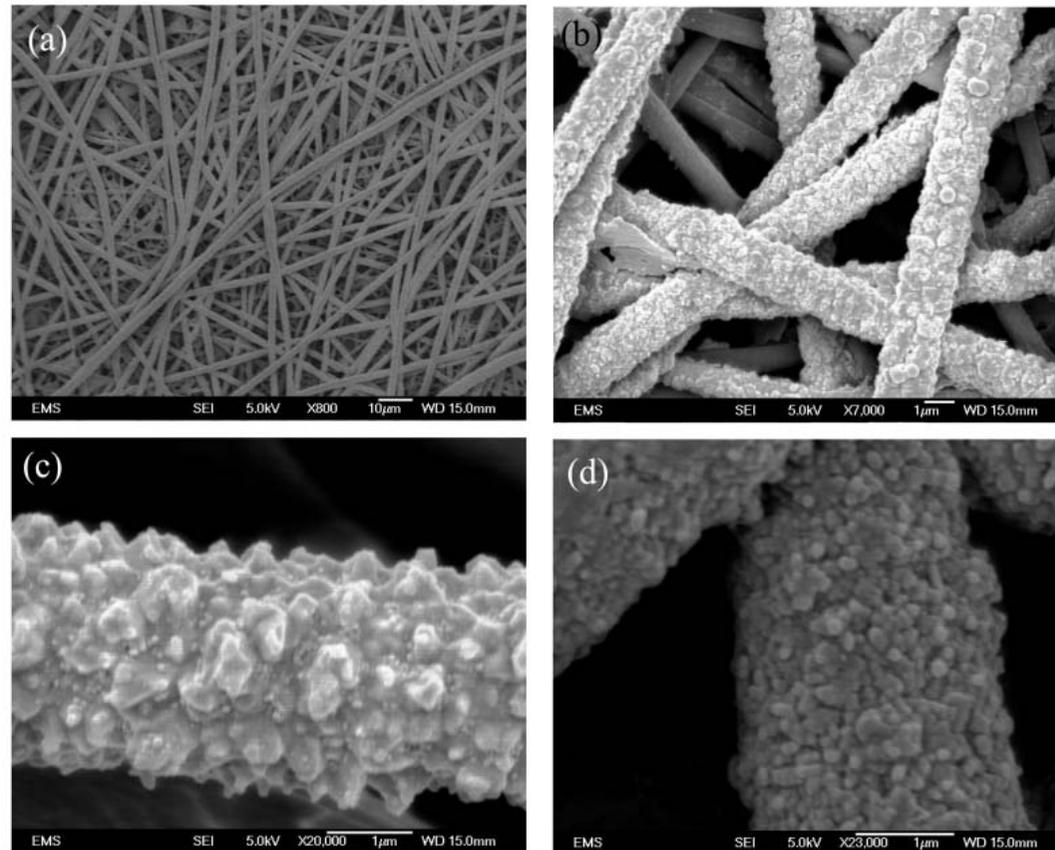


(a) 60°C, (b) 220°C, and (c) 300°C

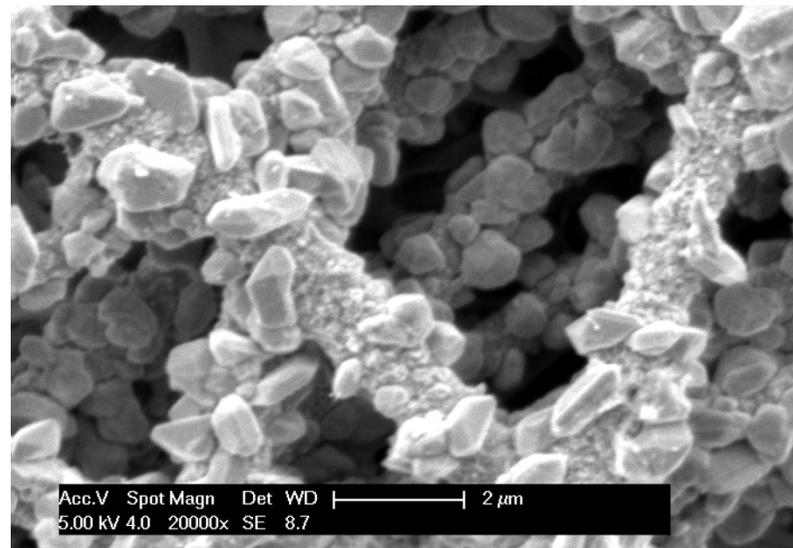
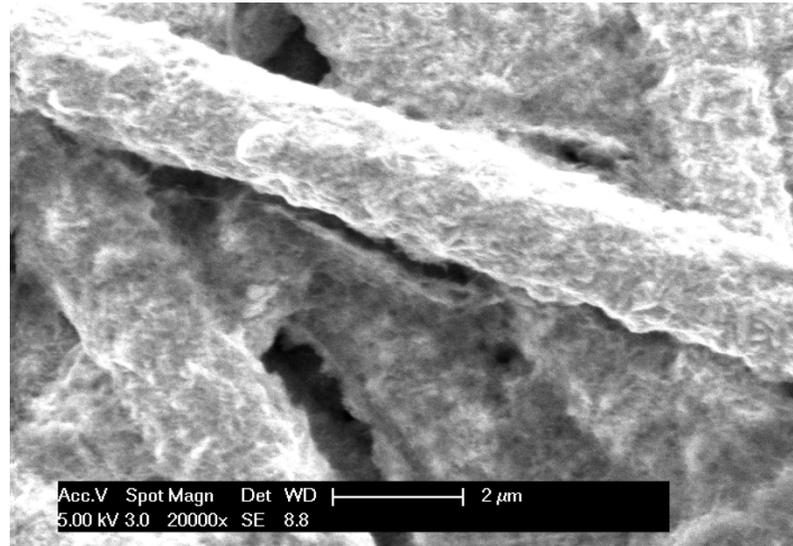
Australian Thorny Devil Lizard



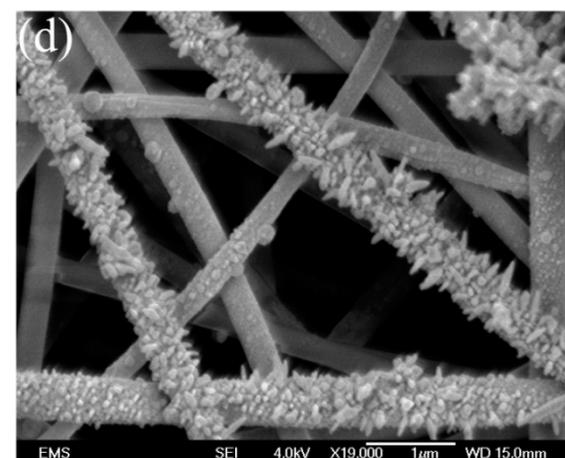
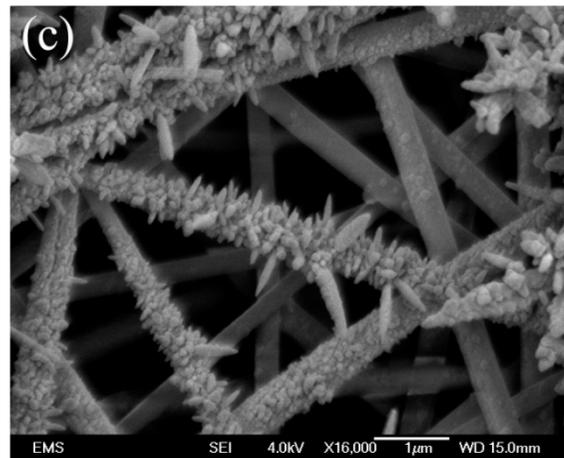
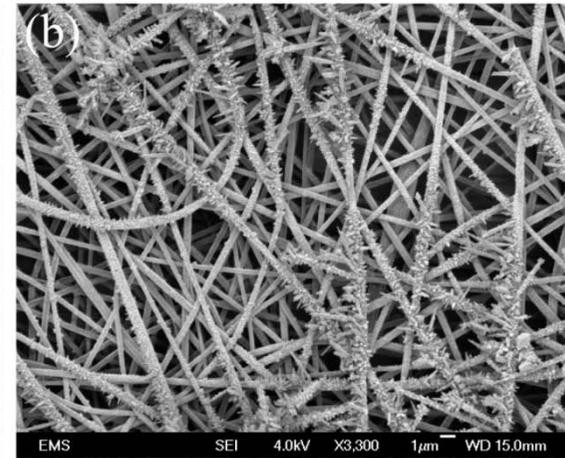
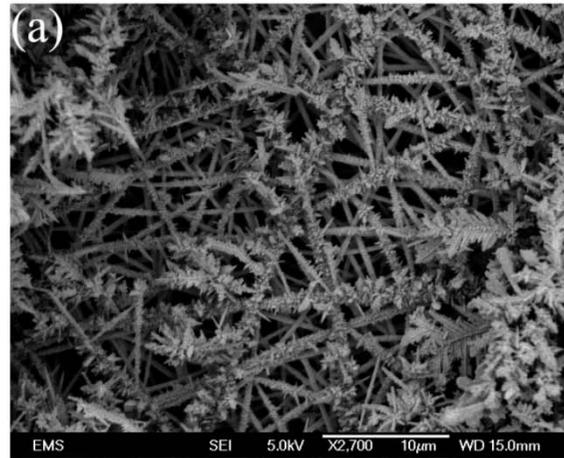
Thorny Devil Copper Nanofibers



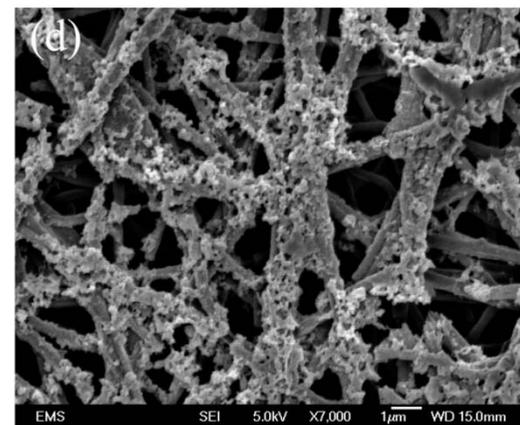
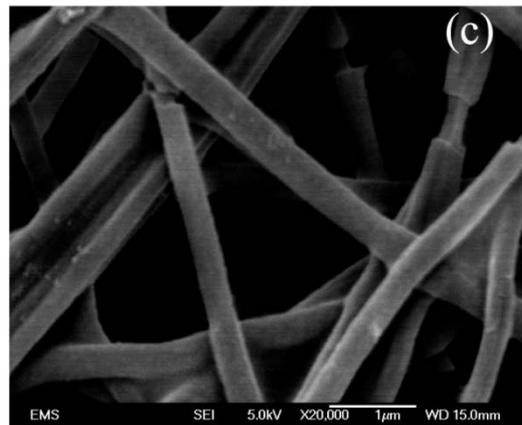
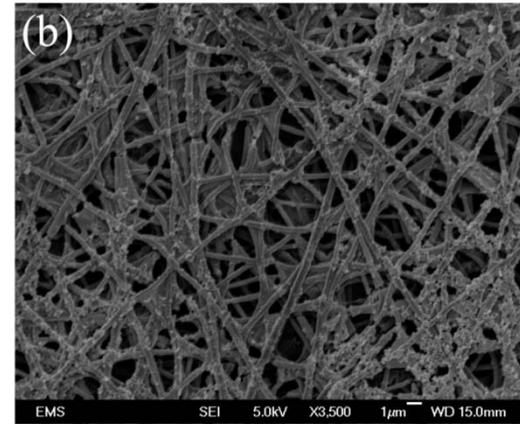
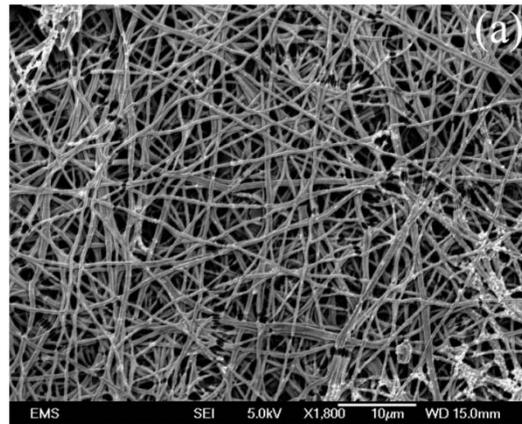
Thorny Devil Nanofibers: Fractal Surfaces?



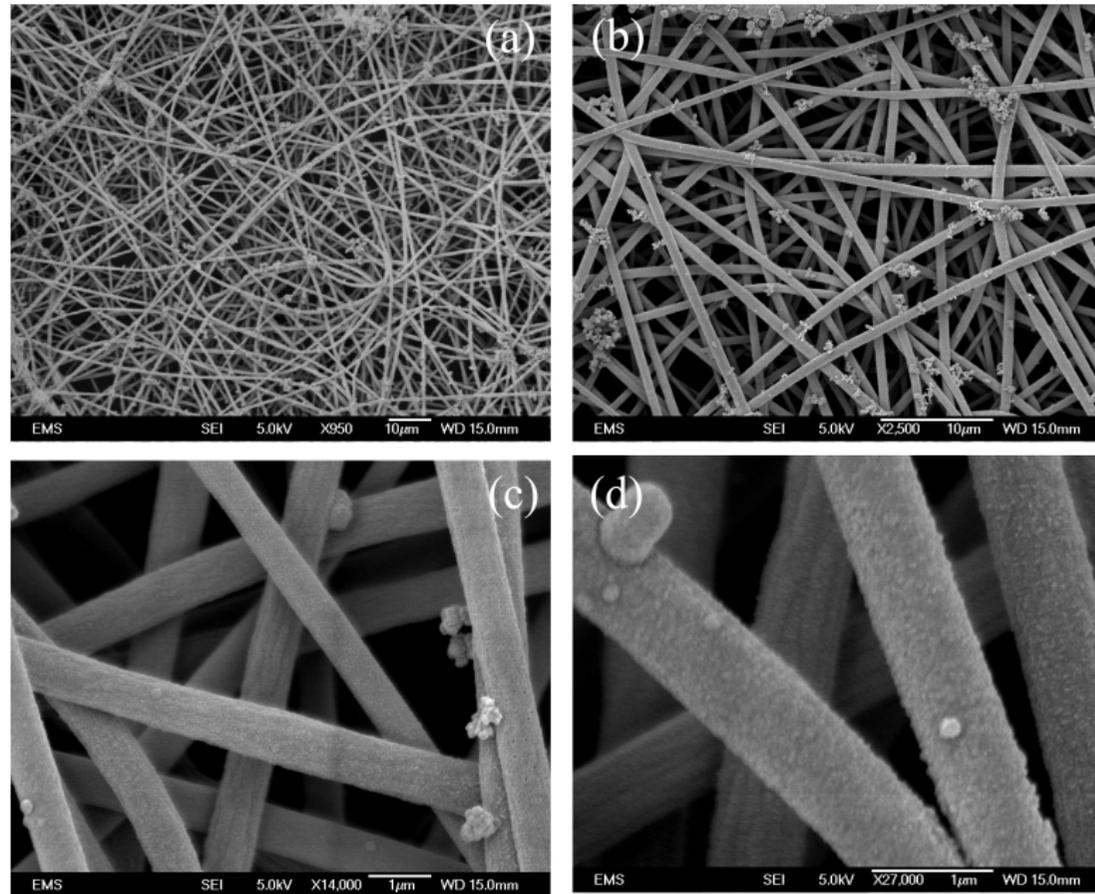
Silver Nanofibers: Dendrite-Like



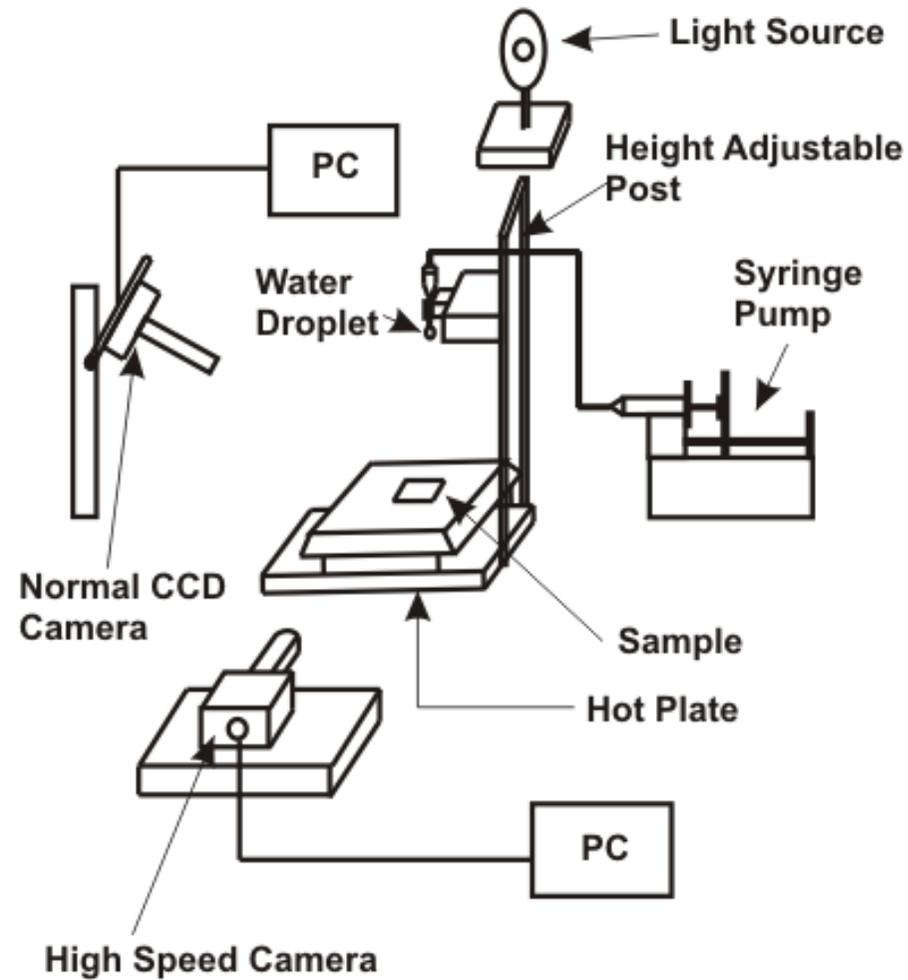
Nickel Nanofibers: Rough and Smooth Domains



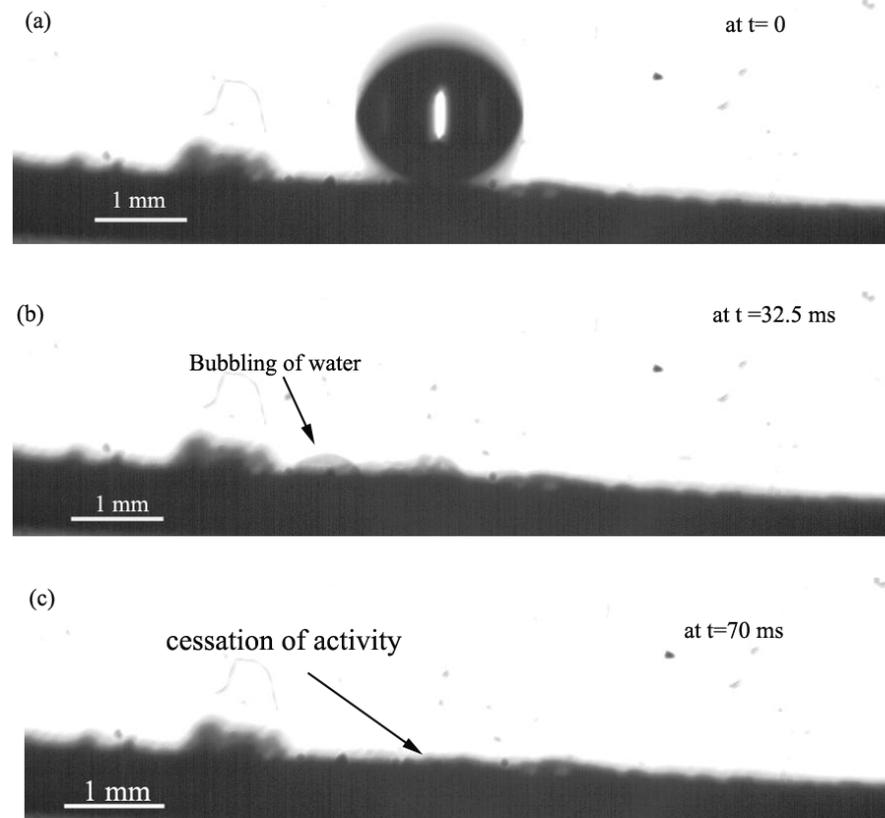
Gold Nanofibers: Rather Smooth



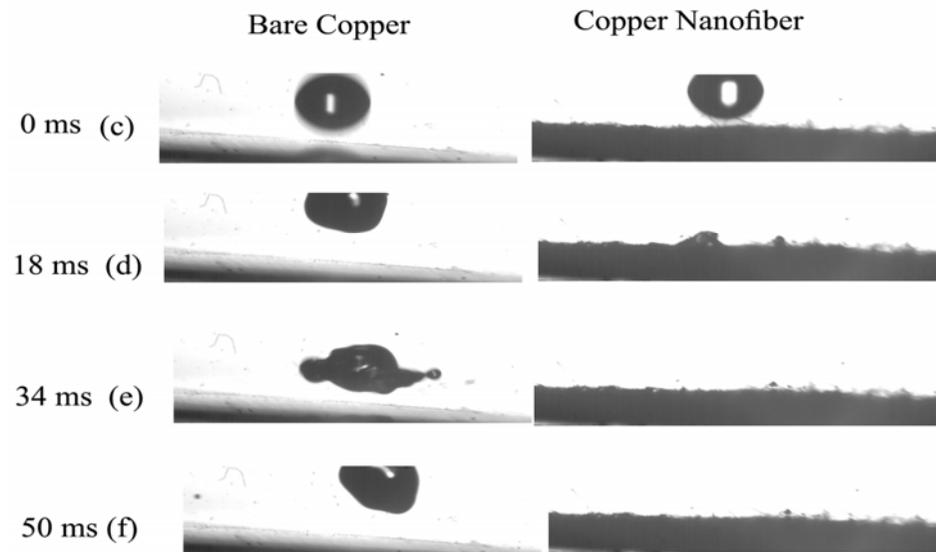
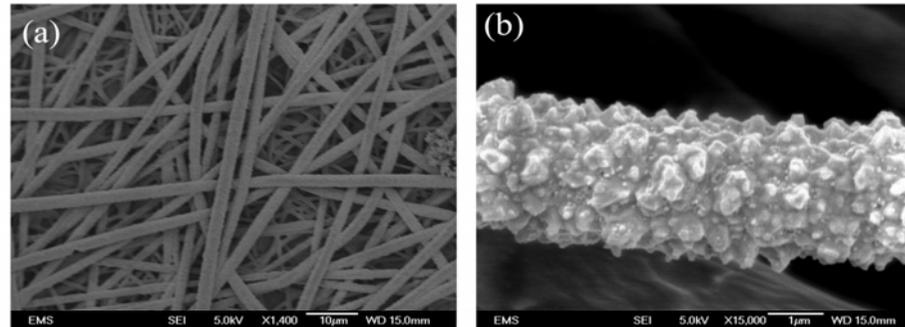
Experimental Setup



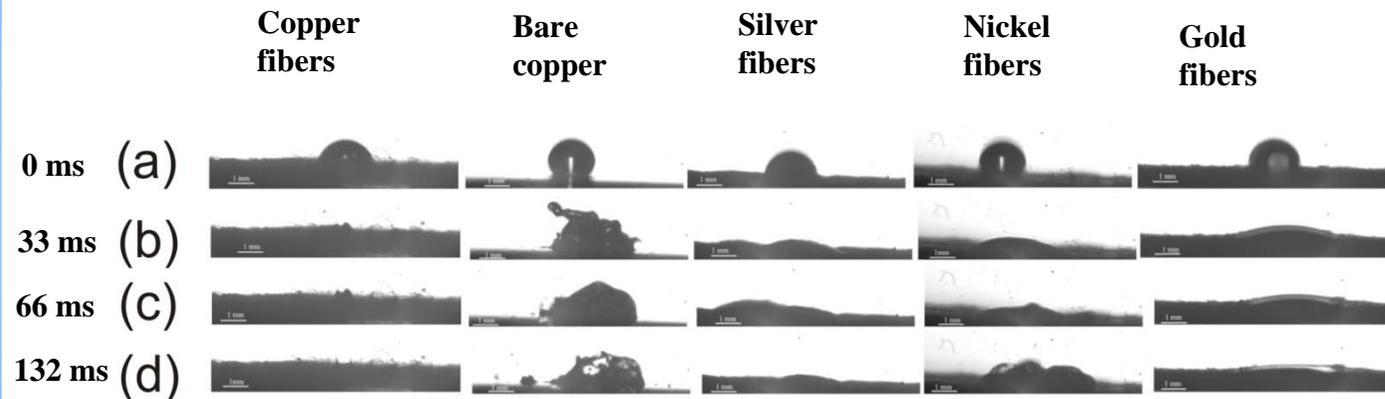
Drop Impact from Height of 3.55 cm at Copper Thorny Devil Nanofibers at 150 C



The Anti-Leidenfrost Effect on Copper Thorny Devil Nanofibers at 172.2 C



Drop Impact at Thorny Devil Nanofibers at 125 C

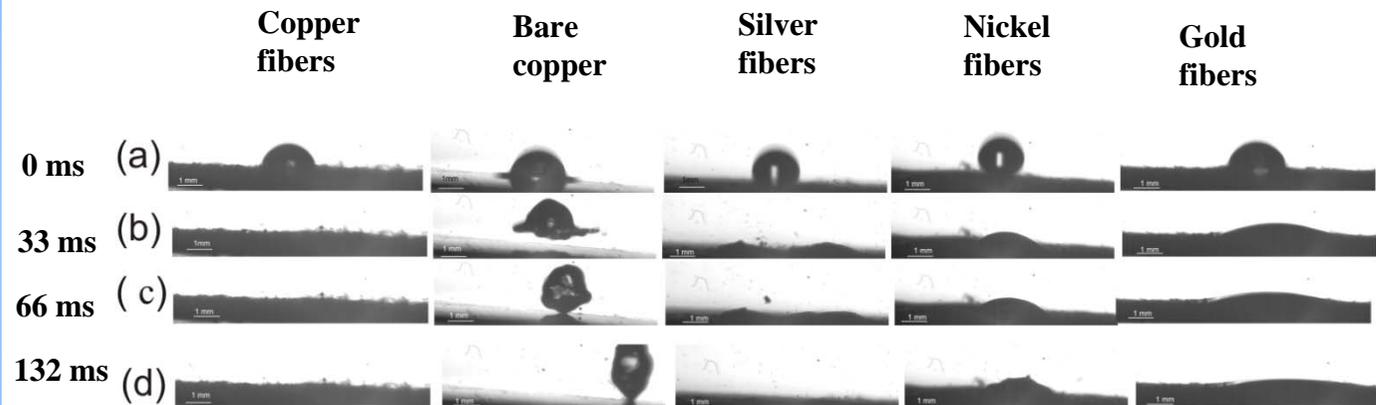


Thermal diffusivities:

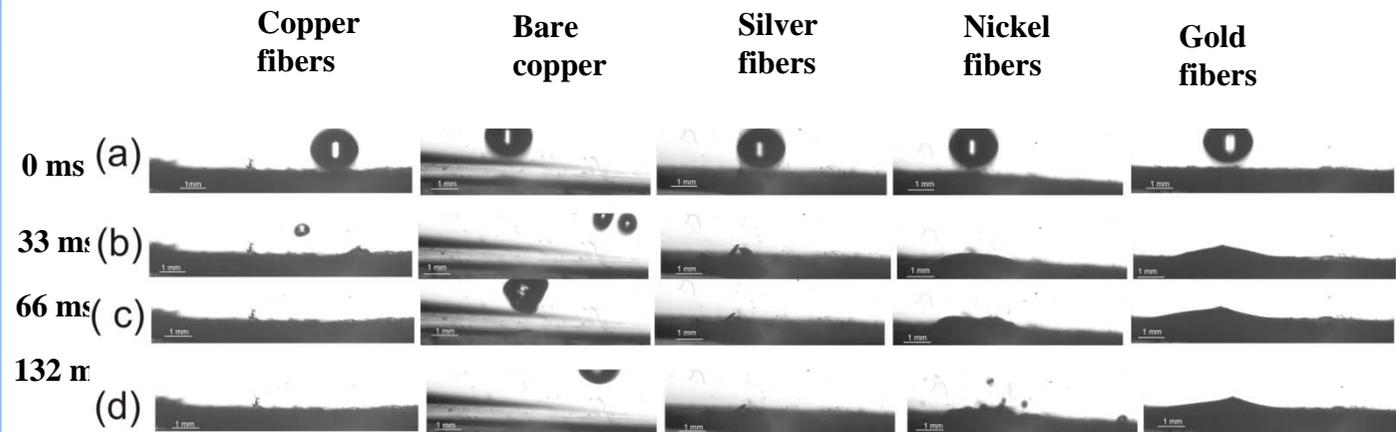
Cu-1.12; Ag-1.66; Ni-0.155; Au-1.27 (sq.cm/s);

Water evaporation on copper and silver fibers is the fastest but on gold-the slowest! Thorny devils win!

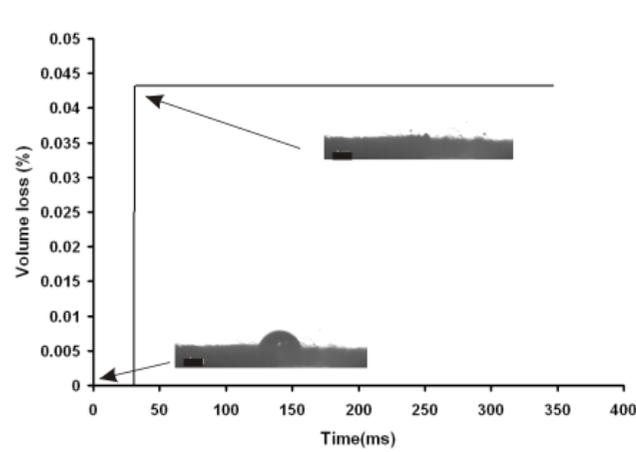
Drop Impact at Thorny Devil Nanofibers at 150 C



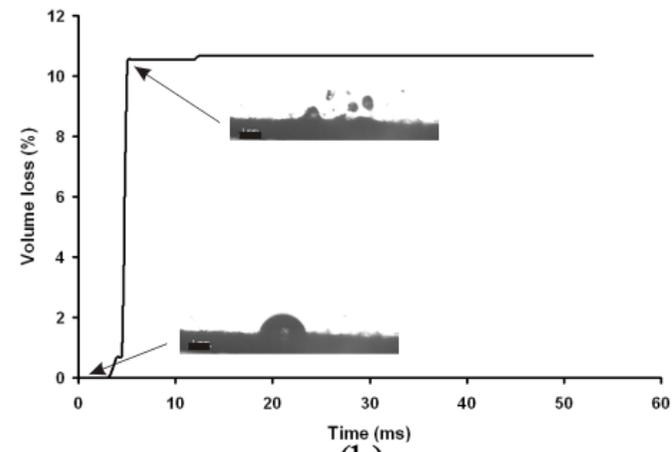
Drop Impact at Thorny Devil Nanofibers at 200 C



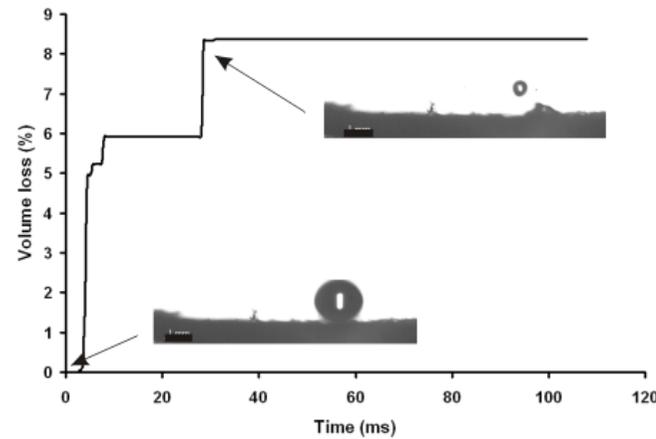
Mass Losses due to “Atomization” during Evaporative Cooling Through Copper Nanofibers



(a)



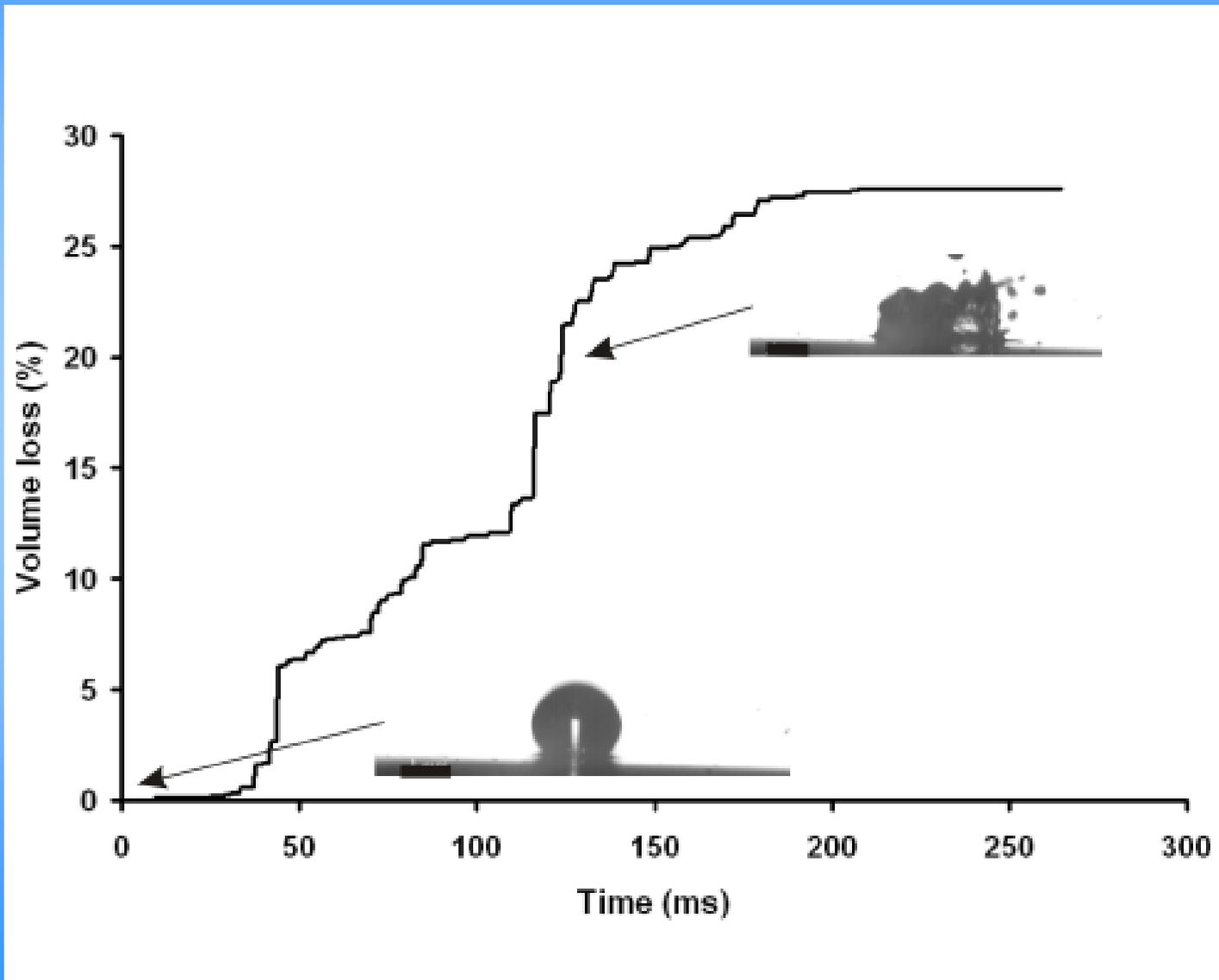
(b)



(c)

Copper fibers:
a-125 C,
b-150 C,
c-200 C

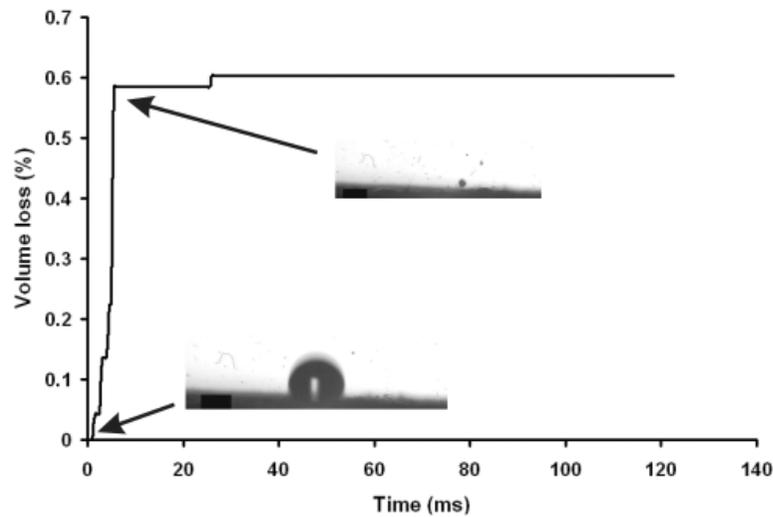
Mass Losses due to “Atomization” during Evaporative Cooling on Bare Copper



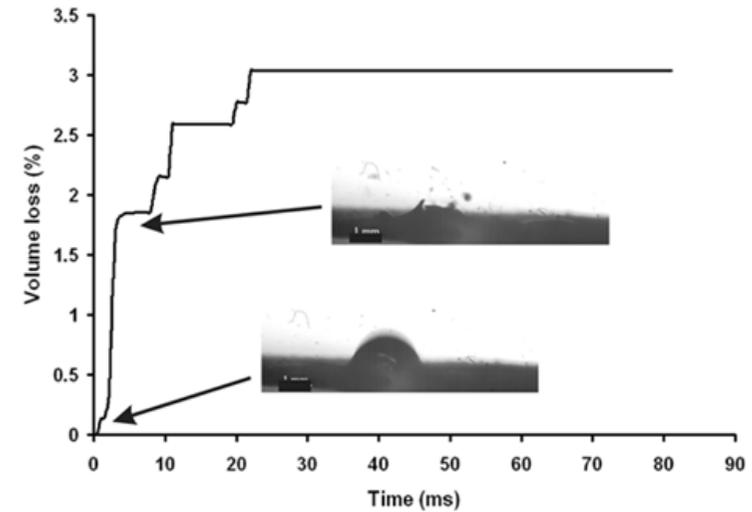
Bare copper

Mass Losses due to “Atomization” during Evaporative Cooling on Silver Nanofibers

Silver fibers:
a- 150 C
b- 200 C

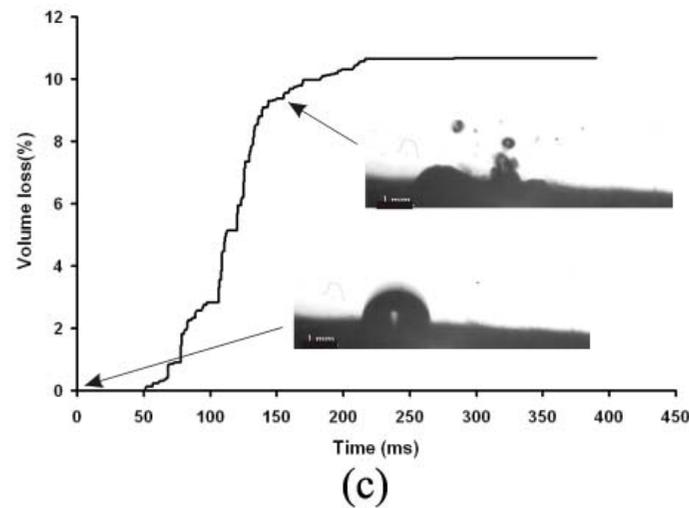
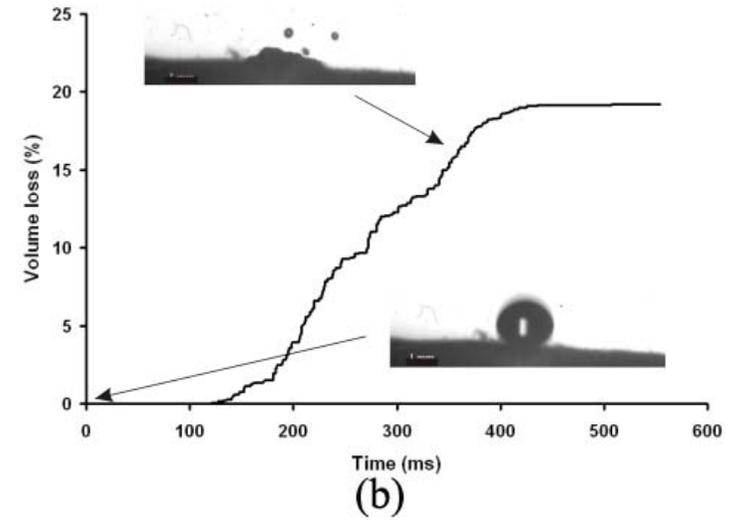
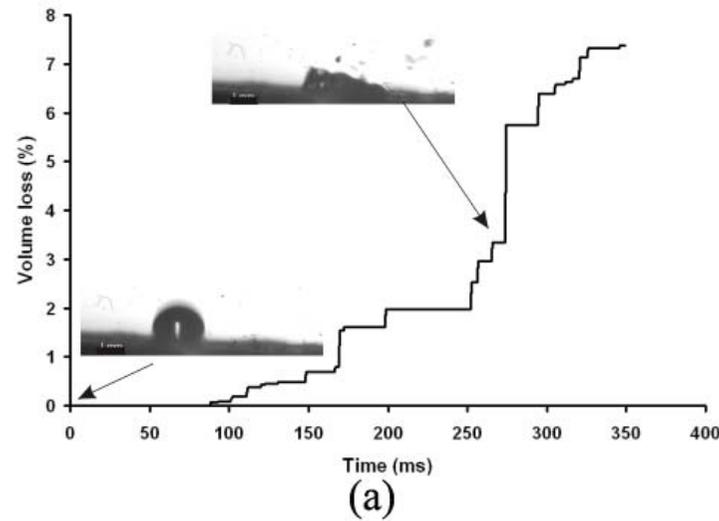


(a)



(b)

Mass Losses due to “Atomization” during Evaporative Cooling on Nickel Nanofibers



Silver fibers:

a- 125 C

b- 150 C

c- 200 C

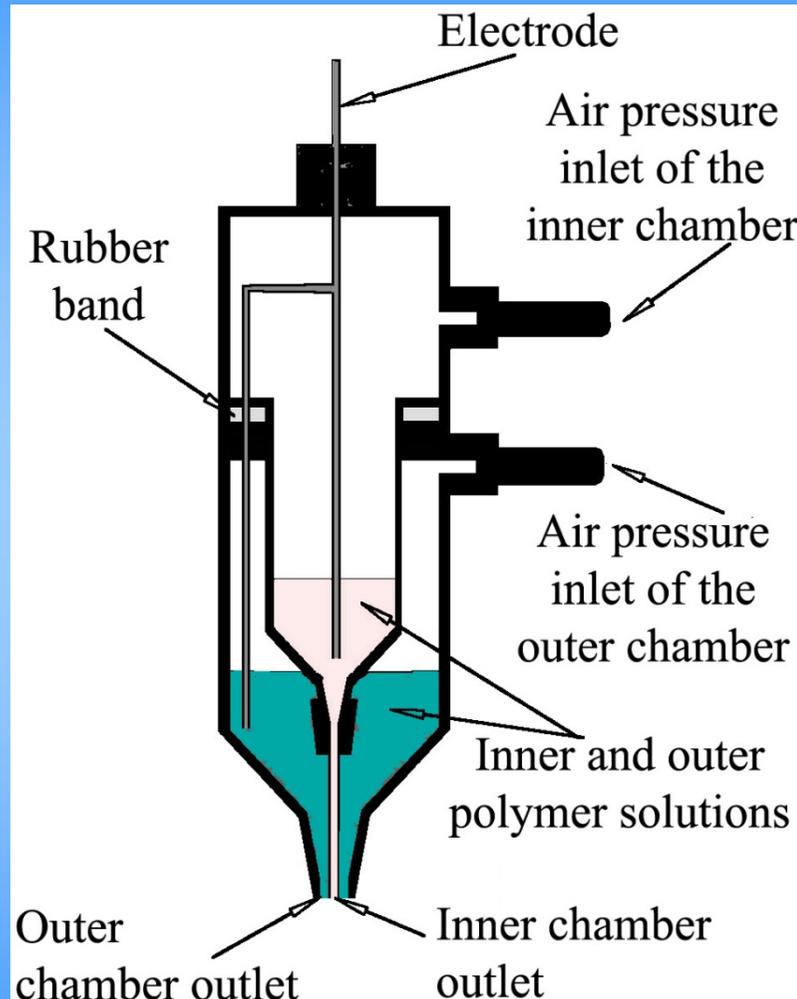
The Resulting Spreading Factor and Cooling Rate for Copper Nanofibers at Different Impact Speeds

h (cm)	V (cm/s)	Δt (ms)	ξ	p	J-evap. (kW/cm ²)
3.55	83.46	70	2.6	0	0.607
6.15	109.85	58	2.85	0	0.575
8.75	131.02	53.5	3.02	0	0.555
11.15	147.91	52.5	3.15	0	0.521
13.75	164.25	47	3.41	0	0.543

The Resulting Spreading Factor and Cooling Rate for Metal-Plated Nanofibers at Different Impact Speeds and the the Non-Zero “Atomization” Ratio p

Material	Temperature (°C)	Δt (ms)	p	J-evap. (kW/ cm ²)
Bare copper	125	264	0.32	0.256
	150	N/A	N/A	N/A
	200	N/A	N/A	N/A
Copper nanofibers	125	172.5	0.09	0.136
	150	53	0.16	0.392
	200	52	0.13	0.408
Silver nanofibers	125	170	0.05	0.138
	150	128.5	0.056	0.181
	200	55.5	0.08	0.407
Nickel nanofibers	125	355	0.124	0.061
	150	600	0.25	0.031
	200	388	0.15	0.054
Gold nanofiber	125	495	0.05	0.047
	150	633.5	0.05	0.037
	200	468	0.05	0.049

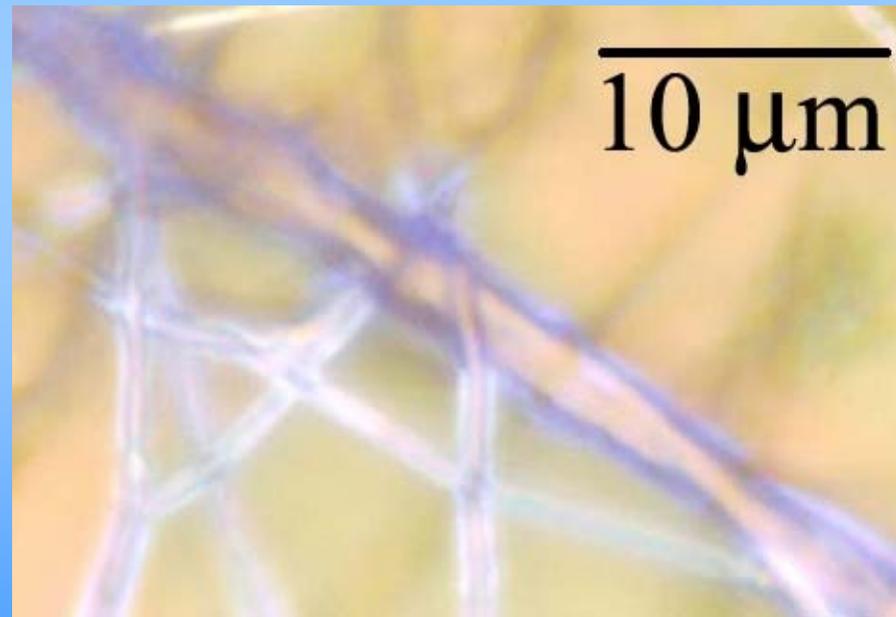
Co-electrospinning: Compound Nanofibers and Nanotubes



Solution: PEO (1e6) 1% in ethanol/water

Inner solution contains 2% bromophenol

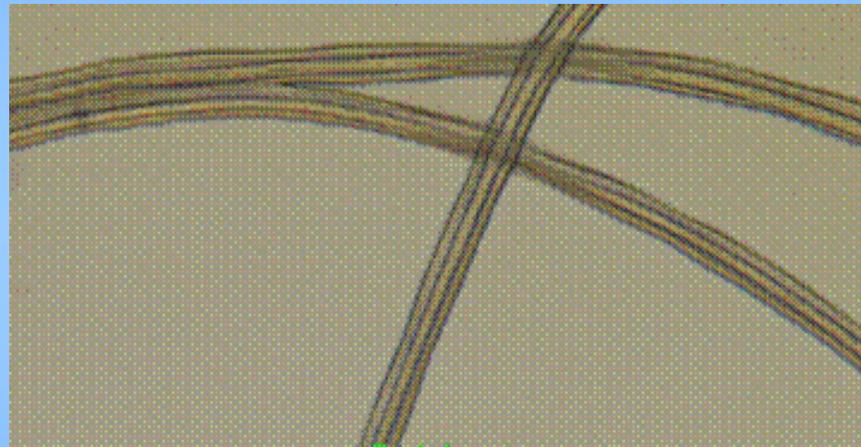
Outer solution contains 0.2% bromophenol



Co-electrospinning

Core: PMMA

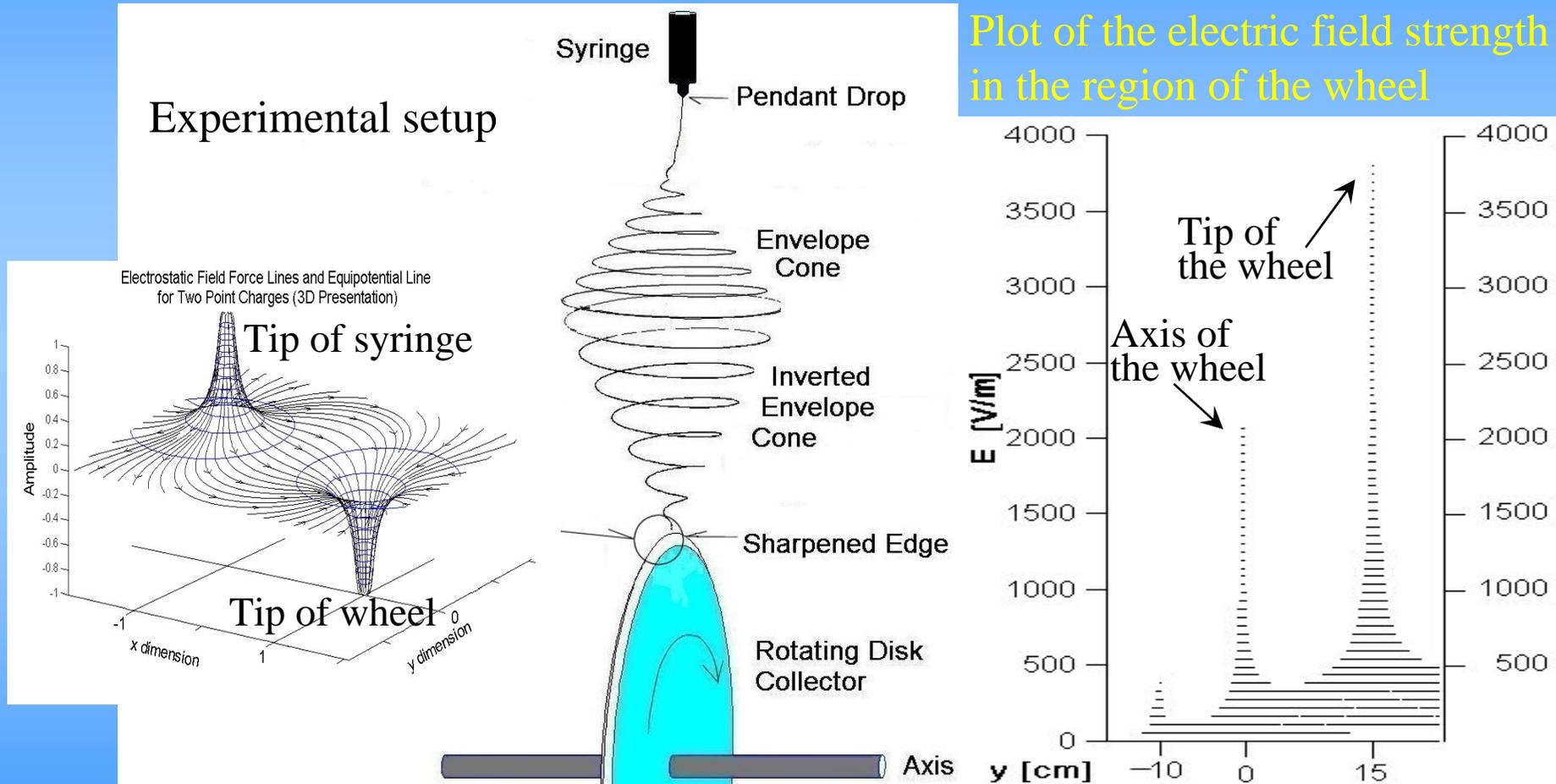
Shell: PAN



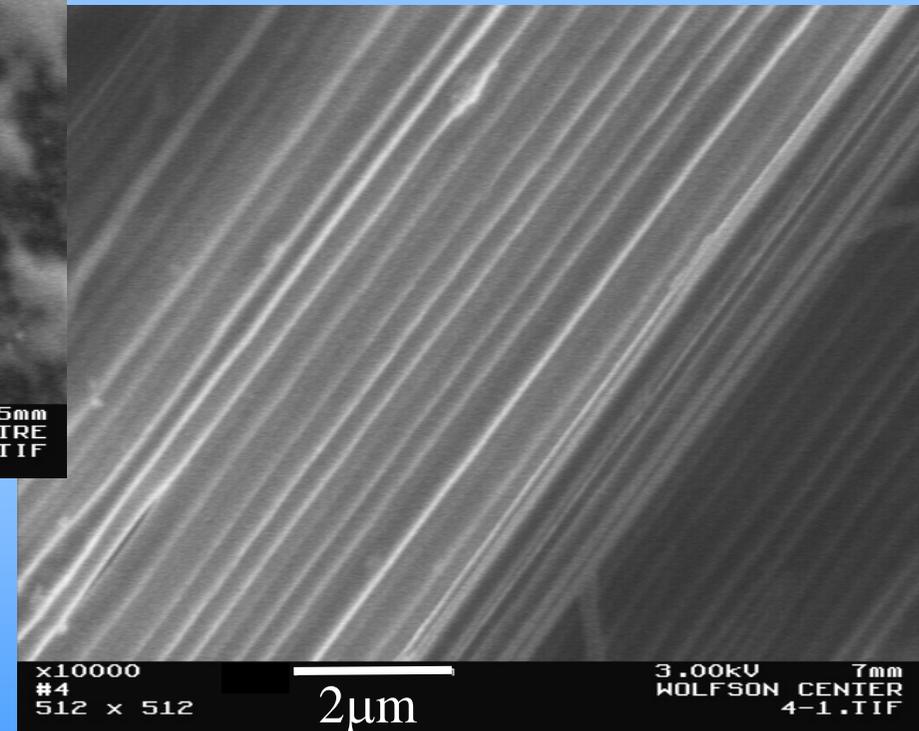
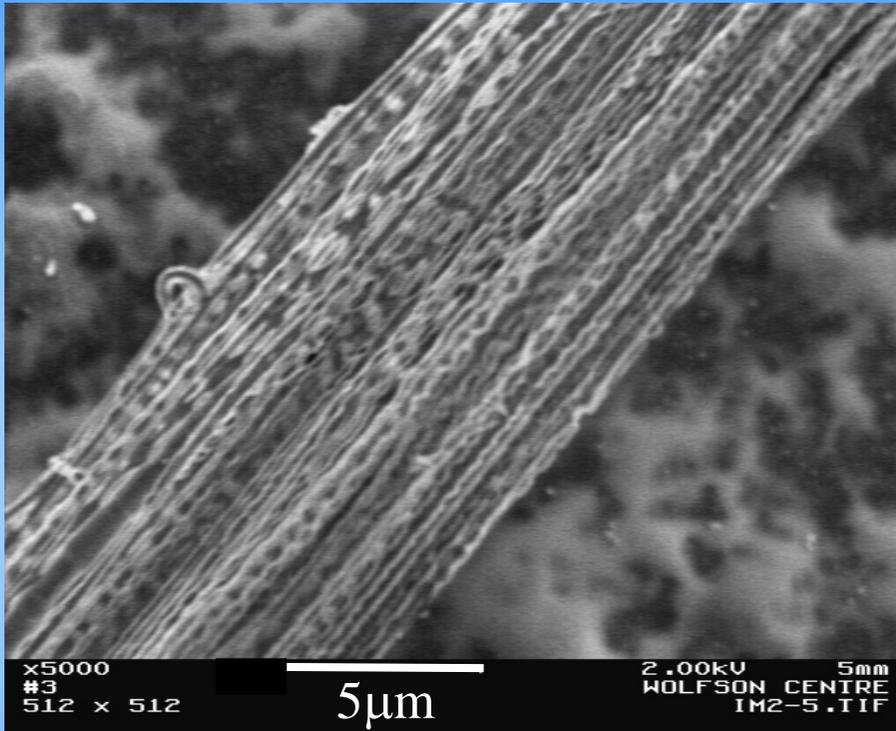
Zussman E, Yarin A L, Bazilevsky A.V.,
R. Avrahami, M. Feldman, *Advanced
Materials* 18, 2006

Self-assembly: Nanoropes and Crossbars. A Sharpened Wheel – Electrostatic Lens

Experimental setup



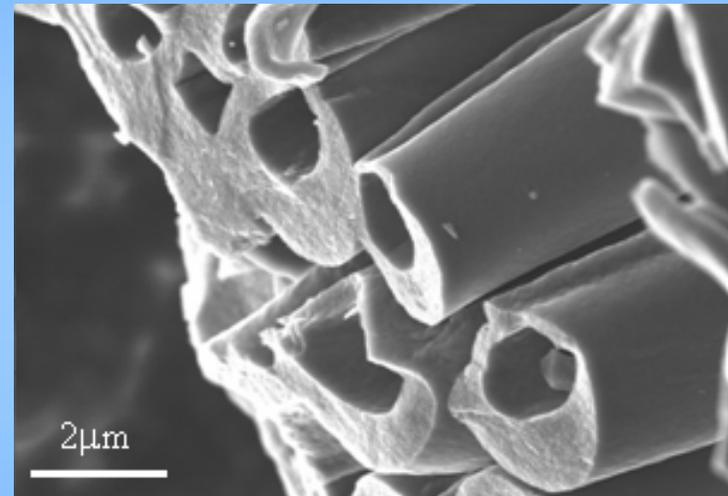
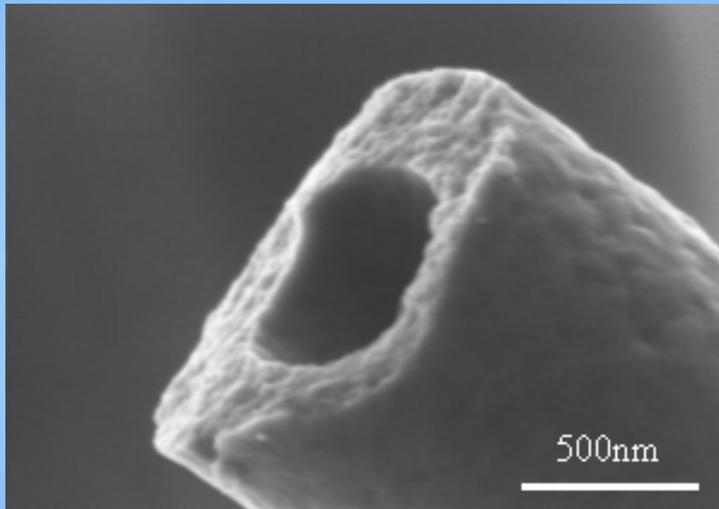
Nanoropes



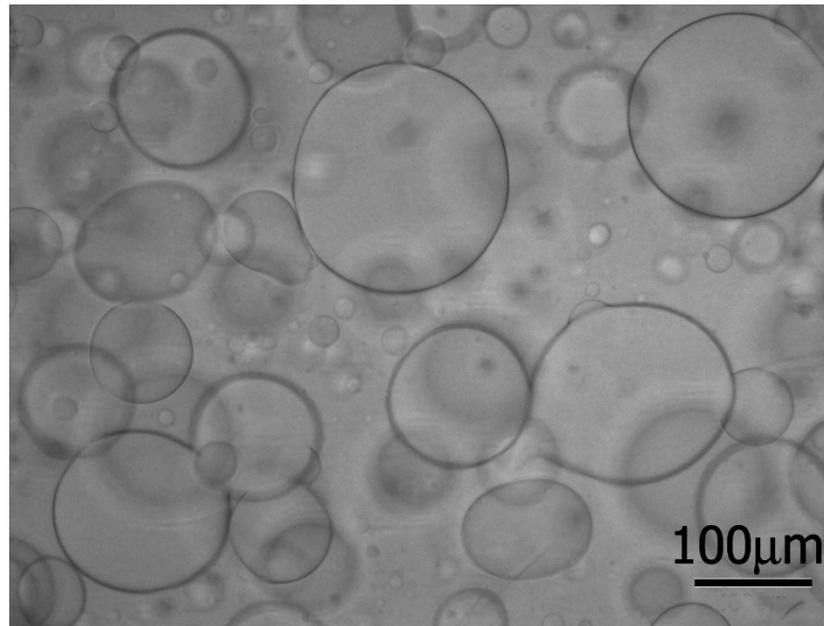
Turbostratic Carbon Nanotubes

Core: PMMA

Shell: PAN

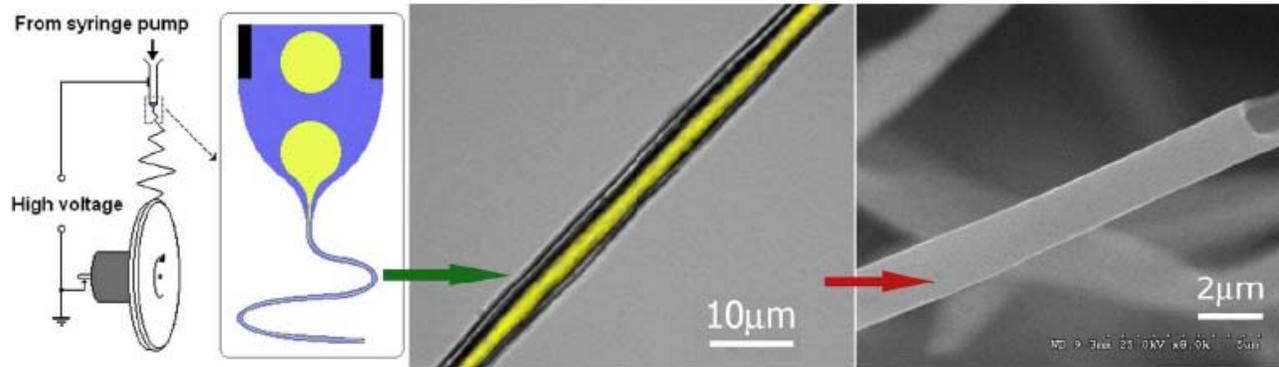


Core-Shell Nanofibers from PMMA-PAN Emulsion



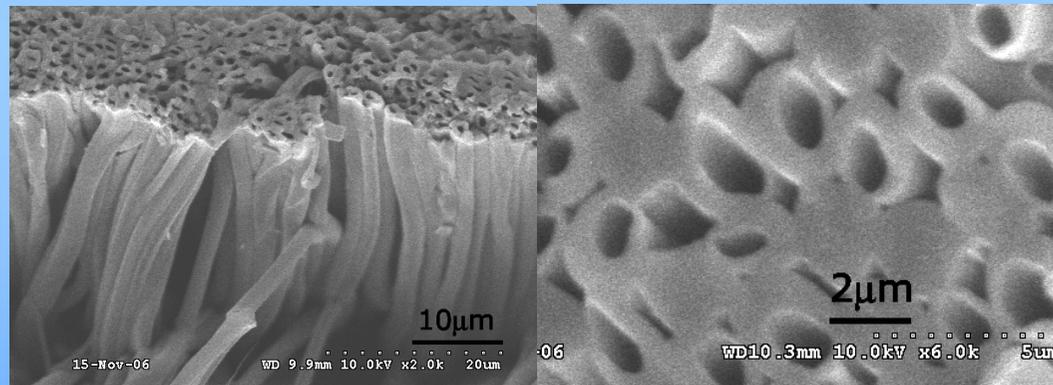
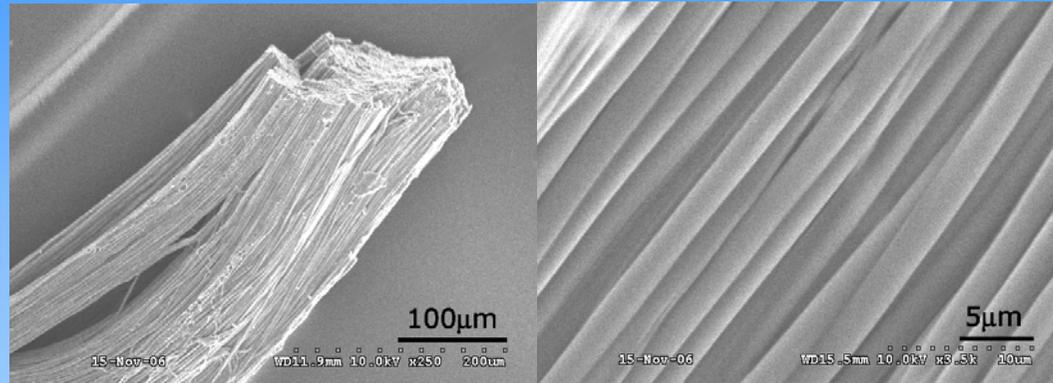
Optical appearance of a PMMA/PAN emulsion about 1 day after mixing of a homogeneous blend containing 6 wt% PMMA + 6% PAN in DMF

A.V.Bazilevsky,
A.L. Yarin,
C.M. Megaridis
Langmuir v.23,
2311-2314 (2007).



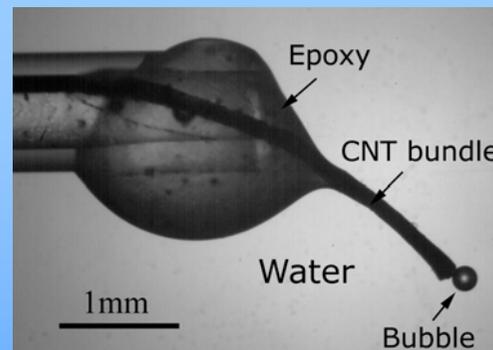
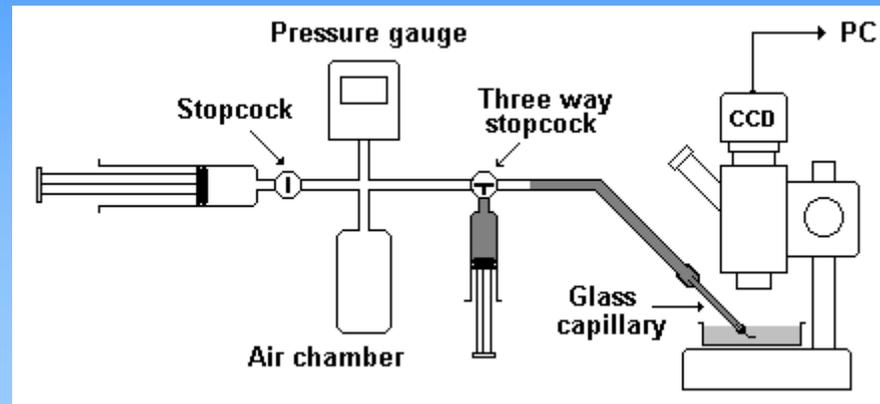
Experimental set-up and hollow carbon tubes

Pressure-driven Nanofluidics in Macroscopically Long Carbon Nanotubes

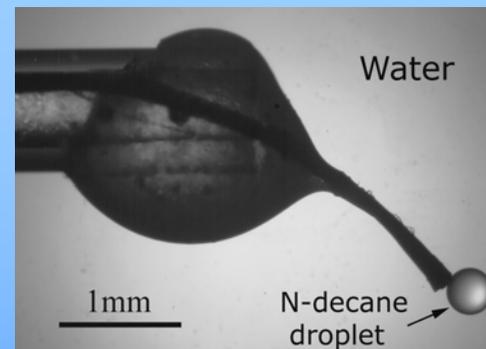
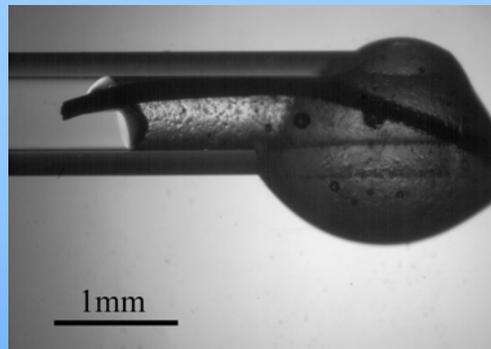
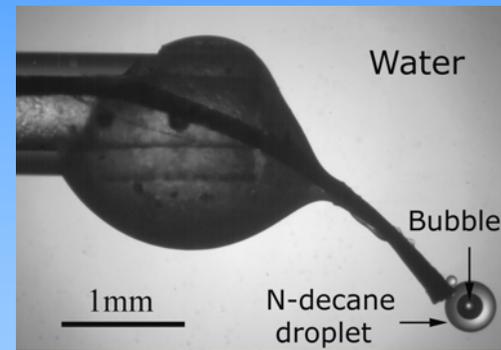
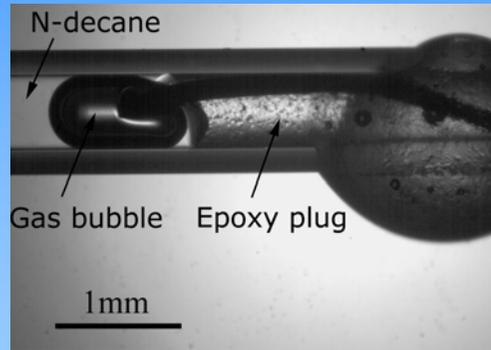


Bazilevsky AV, Yarin AL, Megaridis CM,
Lab on a Chip v. 7 152-160 (2008).

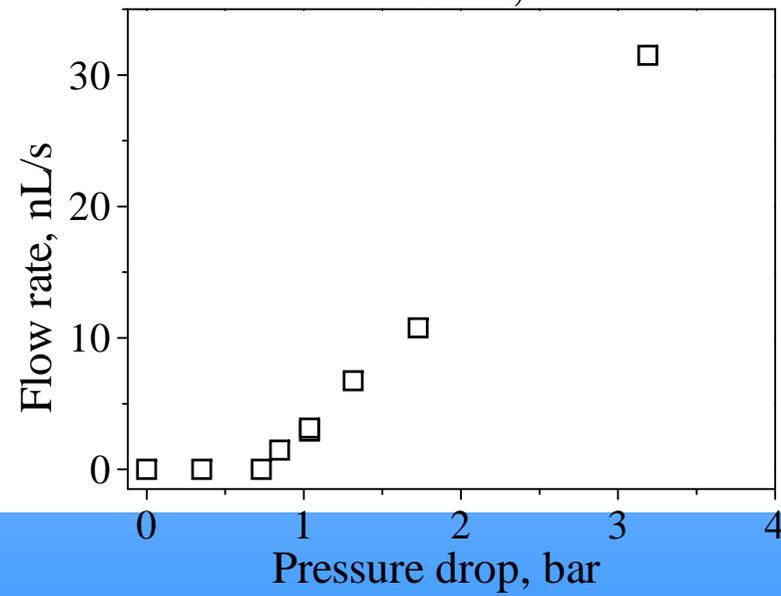
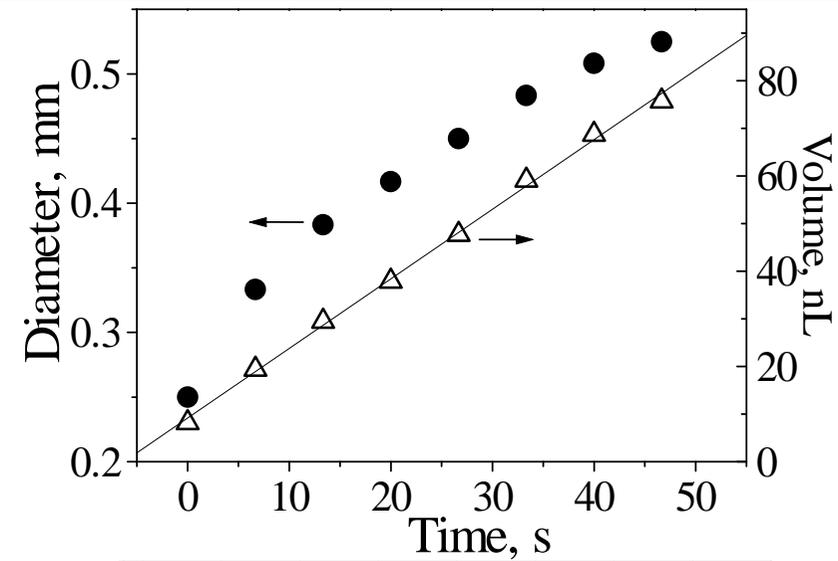
Experimental Setup



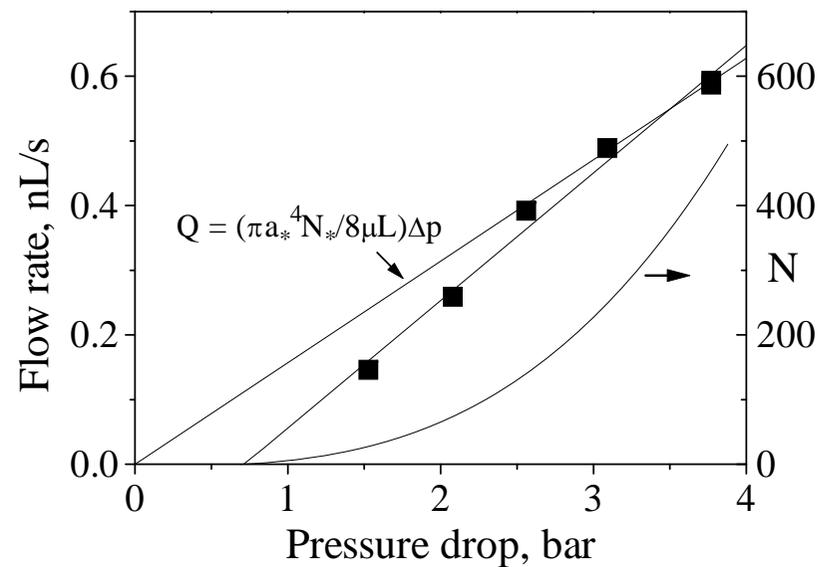
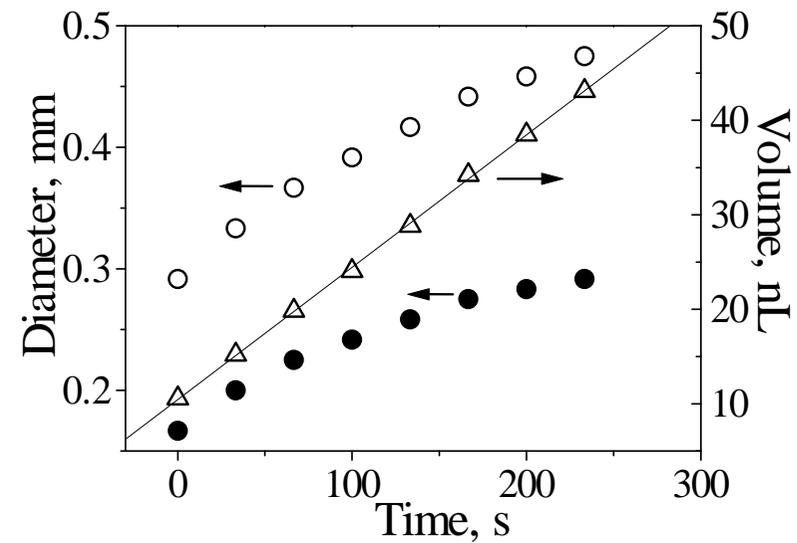
Release Observation



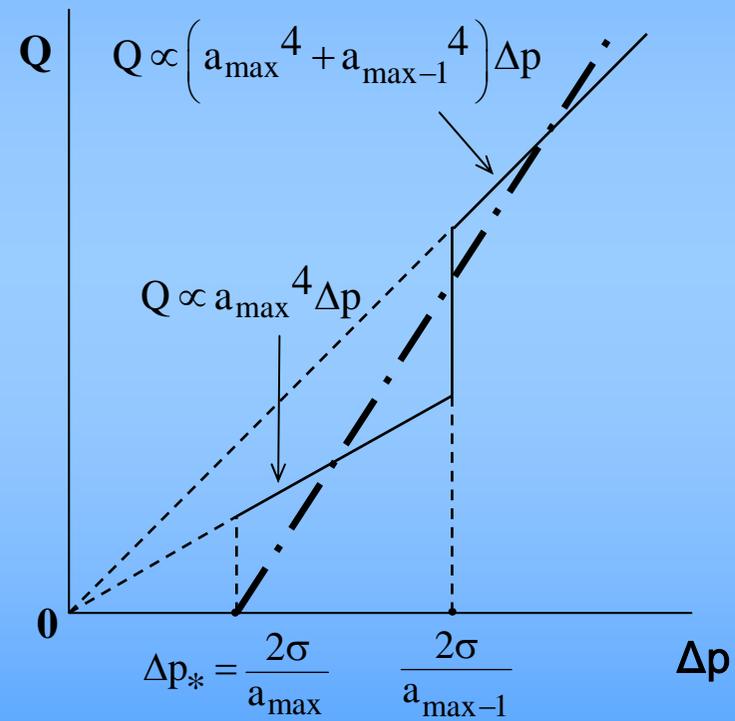
Air Flow Rate



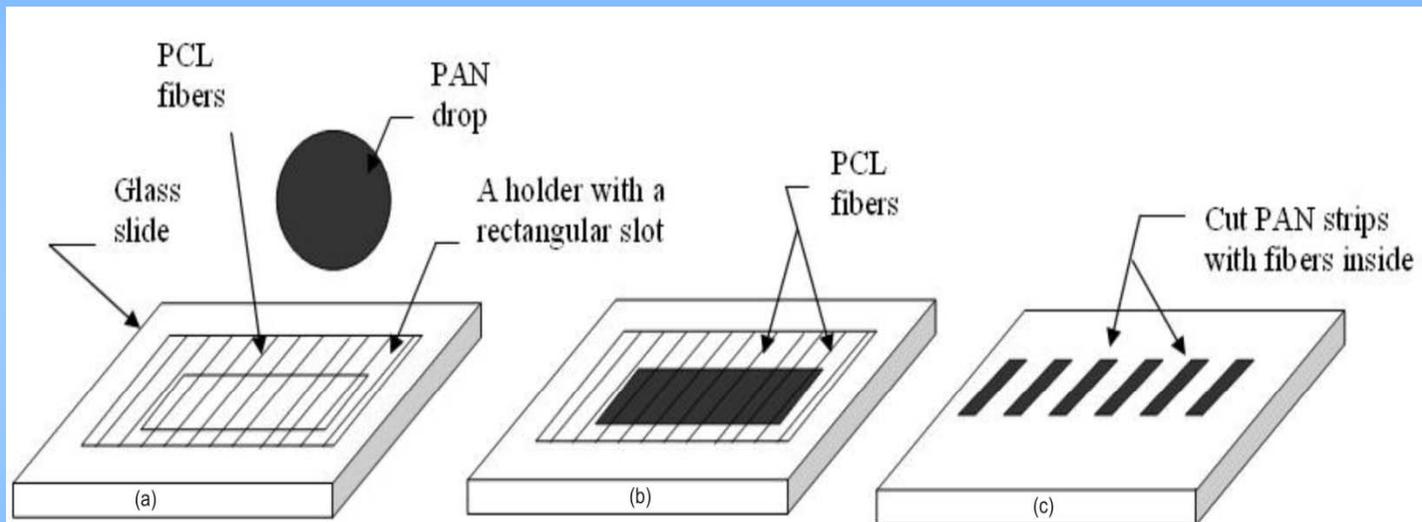
N-decane Flow Rate; Recovering the Flow-carrying Inner Tube Diameter Distribution



Amendment to Poiseuille's Law

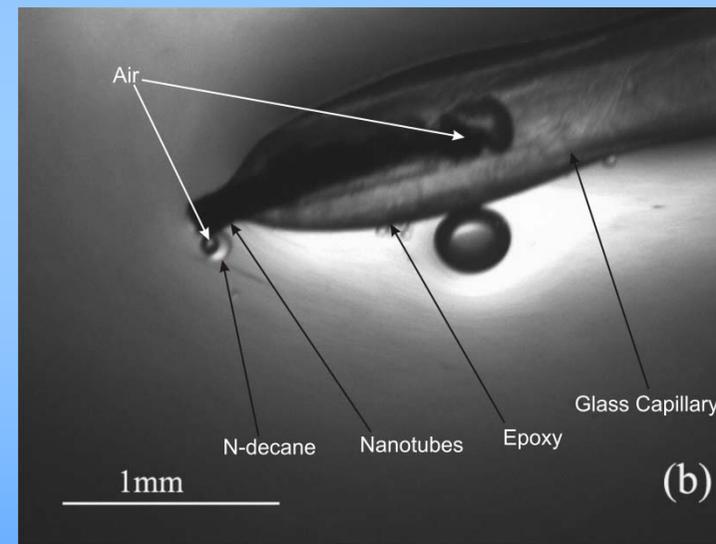
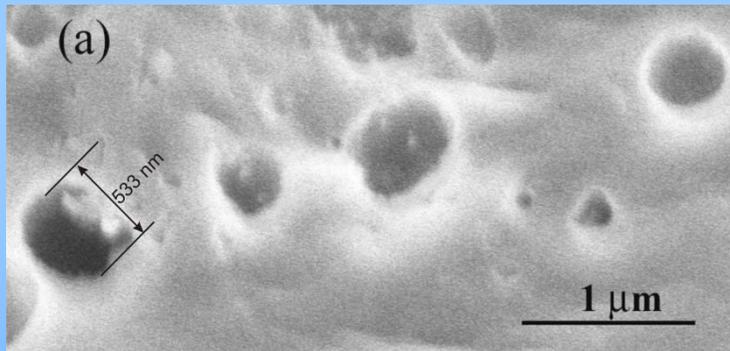


Template Approach: Nanotube Strips



S.S. Ray, P. Chando, A.L. Yarin, *Nanotechnology* v. 20, 095711 (2009).

Entrapped Bubbles: Two-phase Flows



Modeling of Entrapped Air in n-Decane

Four possible situations describing air-liquid flow

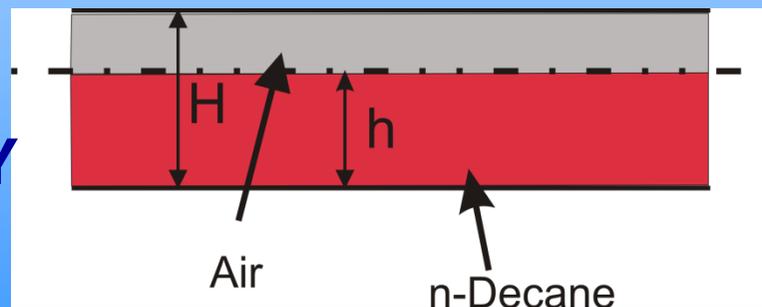
1

~~CAPILLARY
INSTABILITY~~

n-Decane

Air

2



Air

n-Decane

3

~~CAPILLARY
INSTABILITY~~

n-Decane

Air

4. Dispersed bubbles cannot appear due to relatively low pressure available; would contradict the observations (reducing liquid flow rate)!

Theoretical Model

$$\frac{d^2 u_i}{dy^2} = \frac{1}{\mu_i} \frac{dp}{dx}, \quad i = 1, 2, \quad \dots\dots\dots(1)$$

The boundary conditions

are:

$$y = 0 \quad u_1 = 0; \quad y = H \quad u_2 = 0, \quad \dots\dots\dots(2)$$

$$y = h \quad u_1 = u_2, \quad \mu_1 \frac{du_1}{dy} = \mu_2 \frac{du_2}{dy}, \quad \dots\dots\dots(3)$$

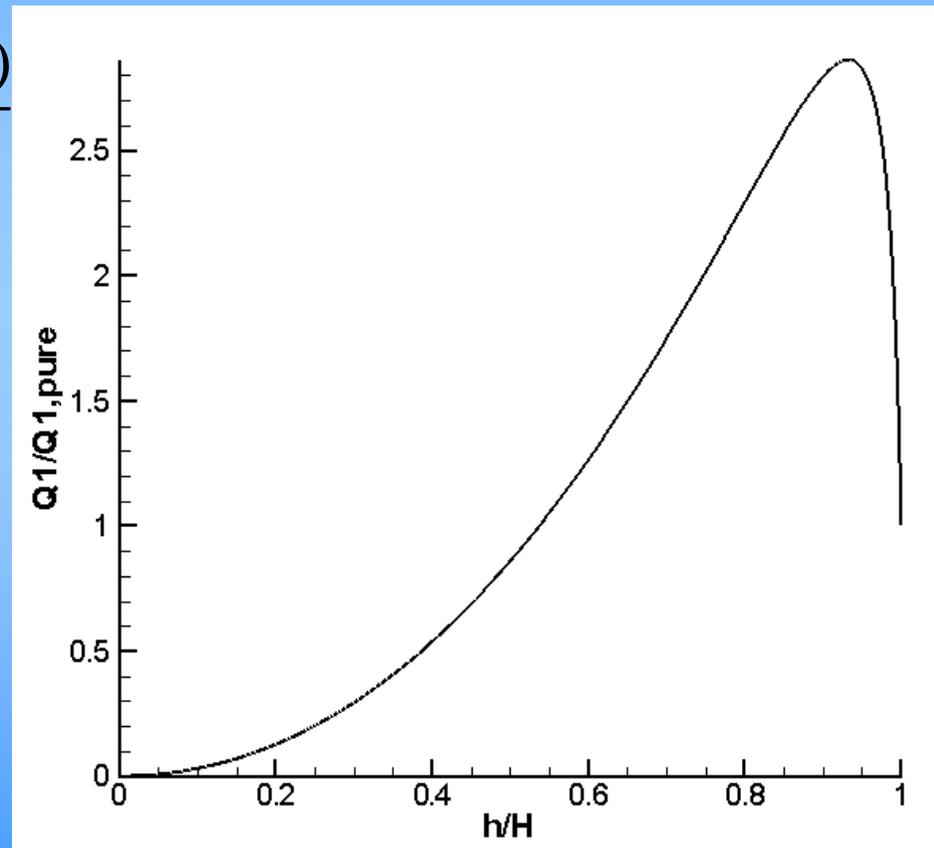
where $i=1$ and 2 correspond to liquid and gas

The Outcome is Amazing!!! Beyond Poiseuille

$$R = \frac{Q_1}{Q_{1,\text{pure}}} = -2\bar{h}^3 + 3\frac{\bar{h}^2 - \bar{h}^4(1 - \mu_2/\mu_1)}{1 - \bar{h}(1 - \mu_2/\mu_1)}$$

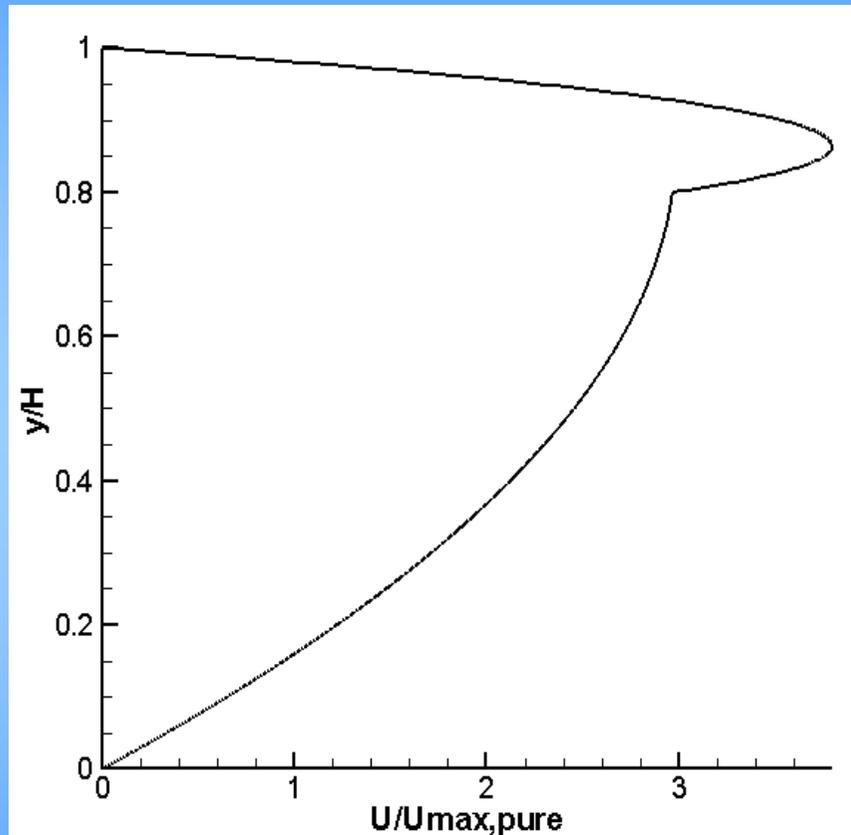
$$\bar{h} = h/H$$

$$Q_{1,\text{pure}} = -H^3 / (12\mu_1) dp/dx,$$



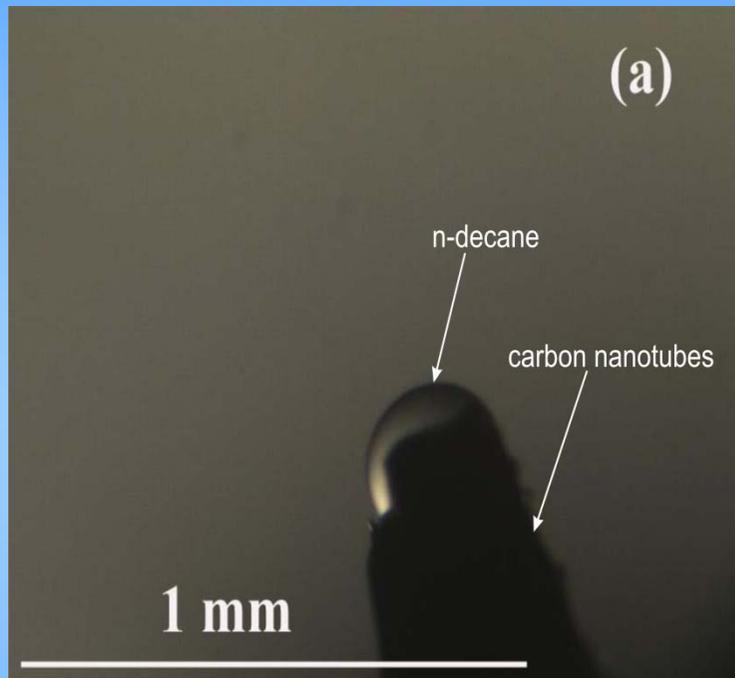
Explanation

$$0.8 \leq y/H \leq 1$$

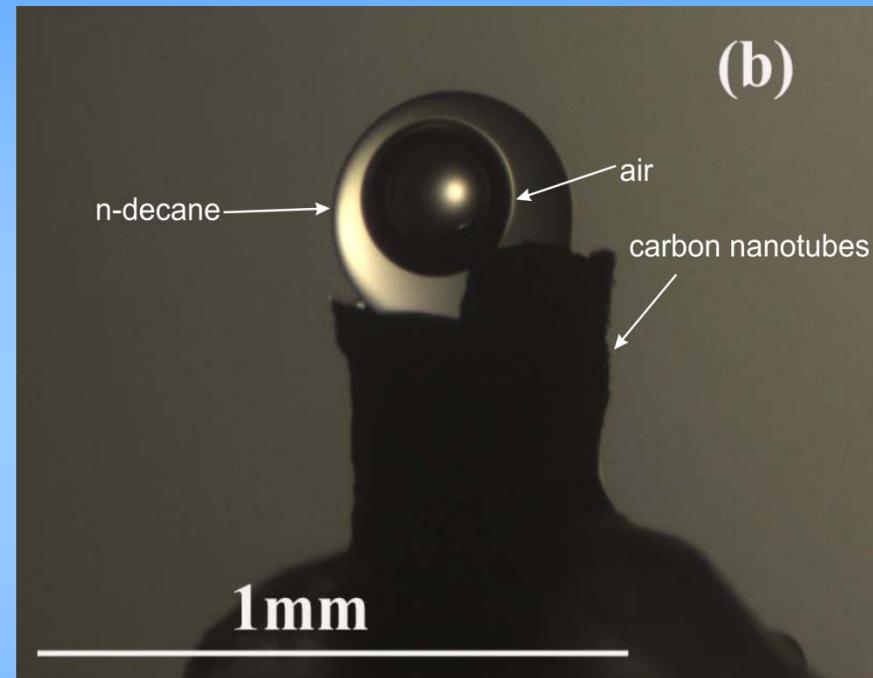


Velocity profile in n-decane/air flow ($\mu_2/\mu_1=0.0196$), $h/H=0.8$.

Experiments: Observations



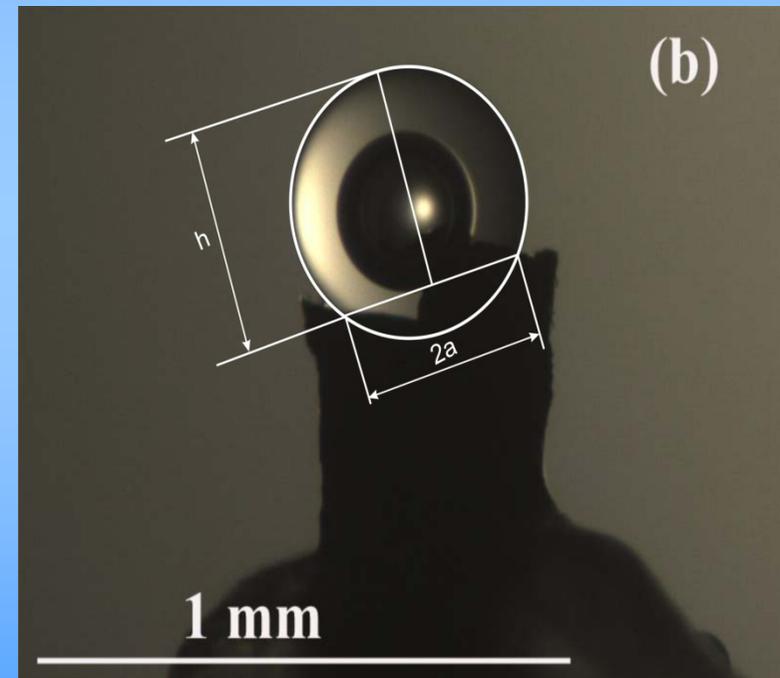
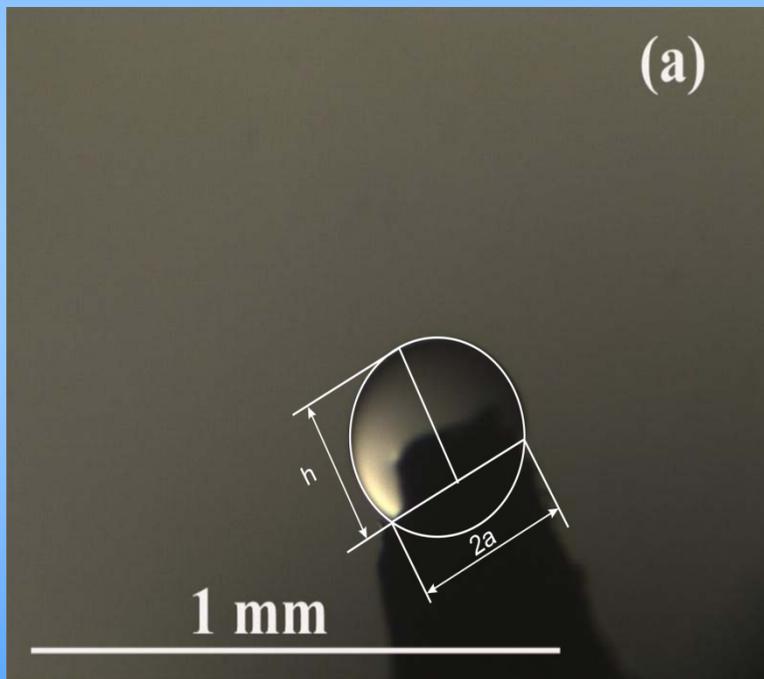
(a) at 1.143 bar



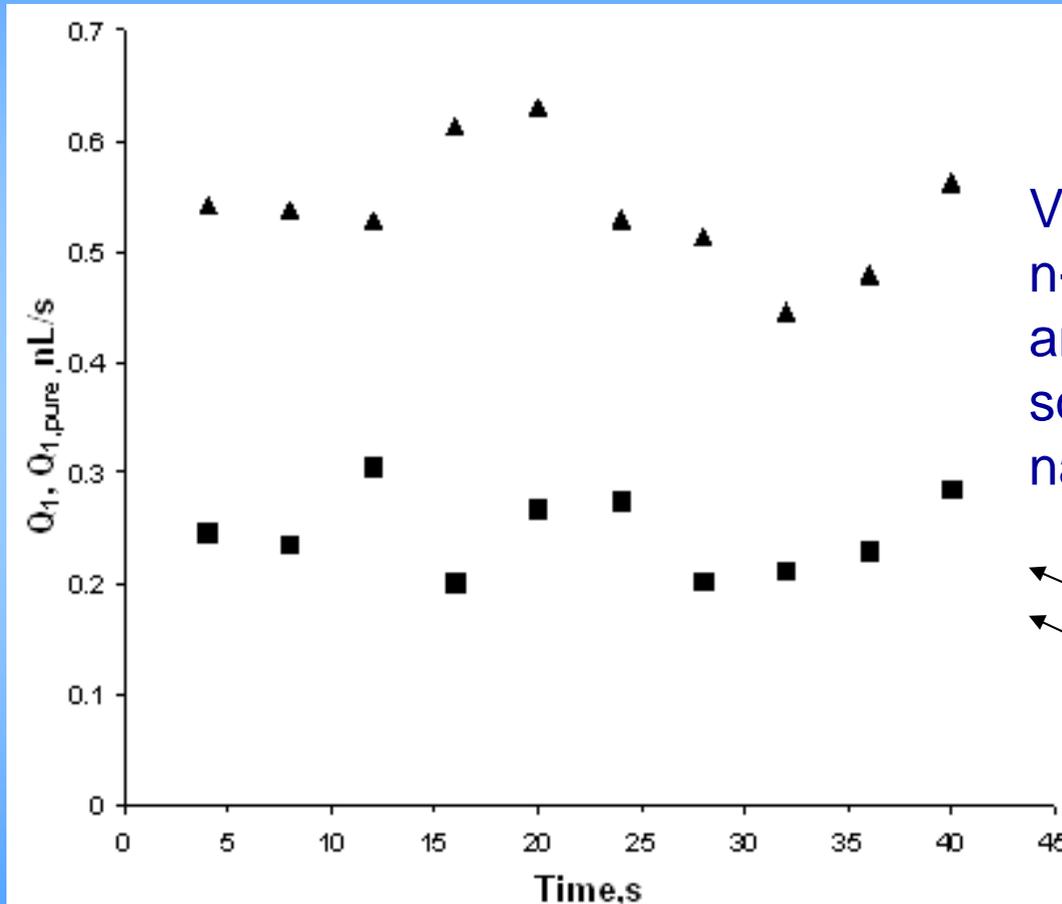
(b) at 1.133 bar

Same nanotubes at the same pressure

Experiments: Measurements



Results



Volumetric flow rates of bi-layer n-decane/air flow (Q_1 , triangles) and pure n-decane ($Q_{1,pure}$, squares) through the same carbon nanotube bundle

The average
 $Q_1/Q_{1,pure} = 2.188$

**Reverse Osmosis for
Water Desalination!**

Conclusions

- (i) Electrospun nanofiber mats and their metallized or carbonized counterparts (monolithic and hollow) can be used for significant enhancement of heat removal in drop/spray high-heat-flux microelectronics. It is possible to reach heat removal rates of the order of 1 kW/sq.cm with water, which might result in breakthrough in further miniaturization in microelectronics devices and computers.**
- (ii) Coelectrospun nanofluidics of layered gas/liquid flows demonstrated how significant benefits for reverse osmosis in water desalination can be achieved.**